

An Introduction to Charged Particle Tracking

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Overview:

- *While we wish tracking were still this easy, real bubble chambers don't cut it for a 25ns cycle time*
- *Instead, we need the electronic version*
 - *More granular*
 - *Less resolution*
 - *More complicated*
- *How do we get there while satisfying*
 - *technical requirements*
 - *performance*
 - *operability*
 - *stability*
 - *spatial requirements*
 - *size, volume*
 - *cost requirements*

Overview:

- *Outline for these lectures*
 - *Lecture 1:*
 - *Motivation*
 - *Tracking vocabulary*
 - *Detector Techniques*
 - *Lecture 2:*
 - *Algorithmic Techniques for Pattern Recognition, Fitting*
 - *Tracking system designs*
 - *Lecture 3:*
 - *Commissioning/Calibrating a tracking system*
 - *Environmental Challenges*
 - *Radiation damage, occupancy, etc.*
 - *Tracking information used in event triggers*
 - *Tracker upgrades*

Why Track?

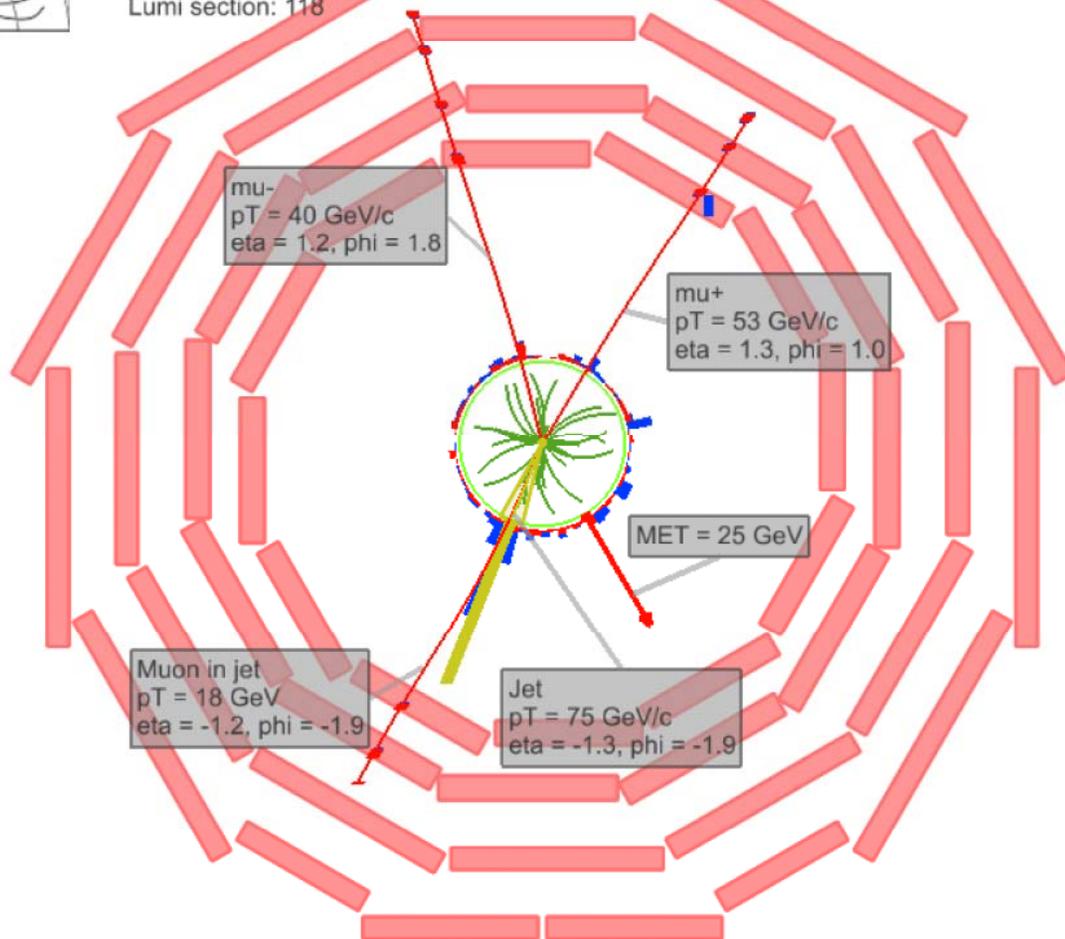


- Basically, everything interesting happens within the first $\sim 10^{-12}$ seconds after the beams collide
 - we can only see “final-state” particles
 - our physics knowledge is based on “working backwards in time” to infer what actually happened in the initial collision
 - the more precisely the final-state particles are measured, the more accurately we can determine the parameters of their parents
- Tracking provides precise measurements of
 - particle production positions
 - can reveal the presence of long-lived particles
 - particle momenta
 - complimentary to calorimeter at low energy
 - particle trajectories to the outer detectors
 - association with calorimeter energy deposits, muon hits
 - allows “global pattern recognition” of physics objects

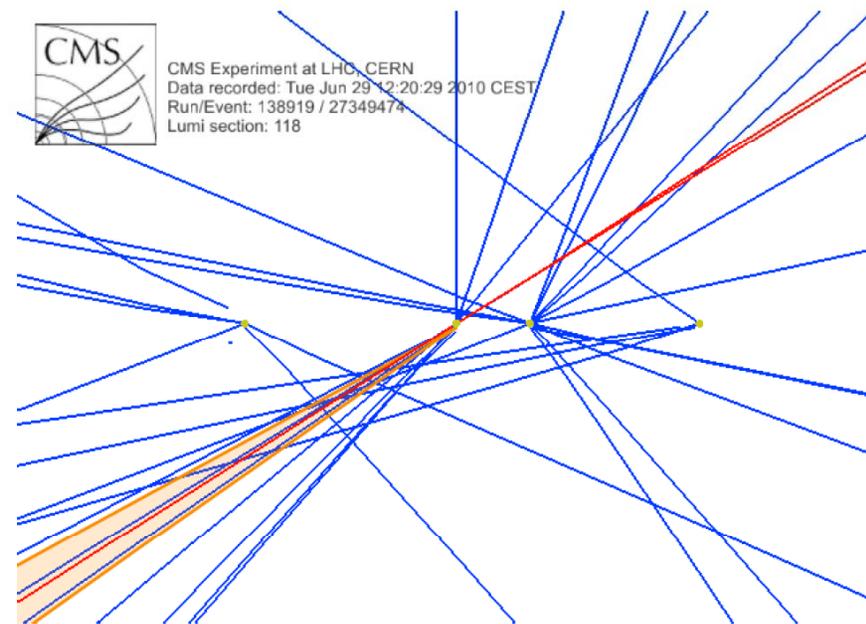
Tracking Provides: Production position



CMS Experiment at LHC, CERN
Data recorded: Tue Jun 29 12:20:29 2010 CEST
Run/Event: 138919 / 27349474
Lumi section: 118

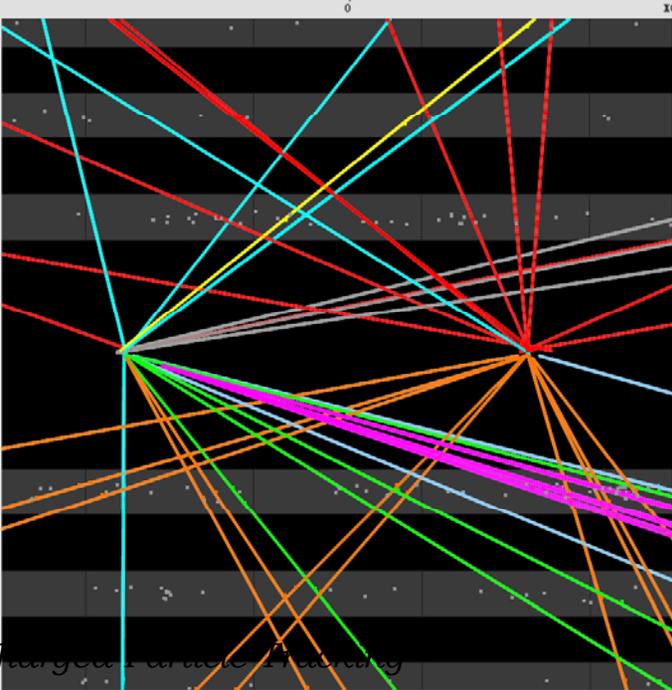
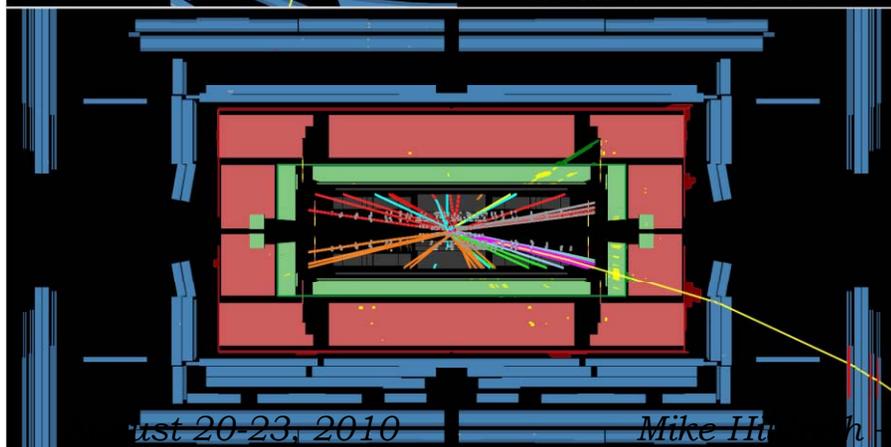
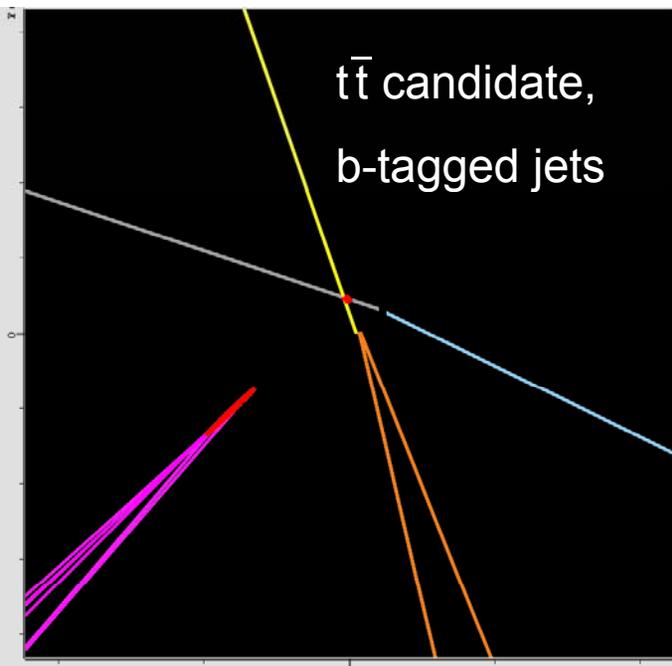
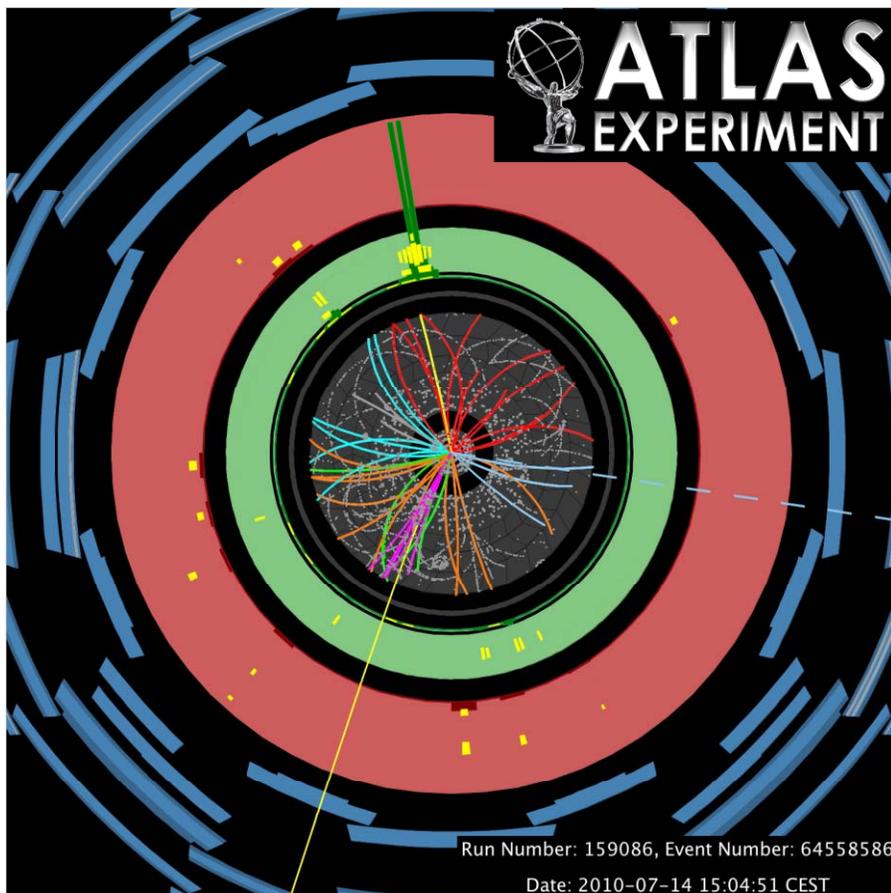


CMS Experiment at LHC, CERN
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Lumi section: 118



$t\bar{t}$ candidate, multiple interactions

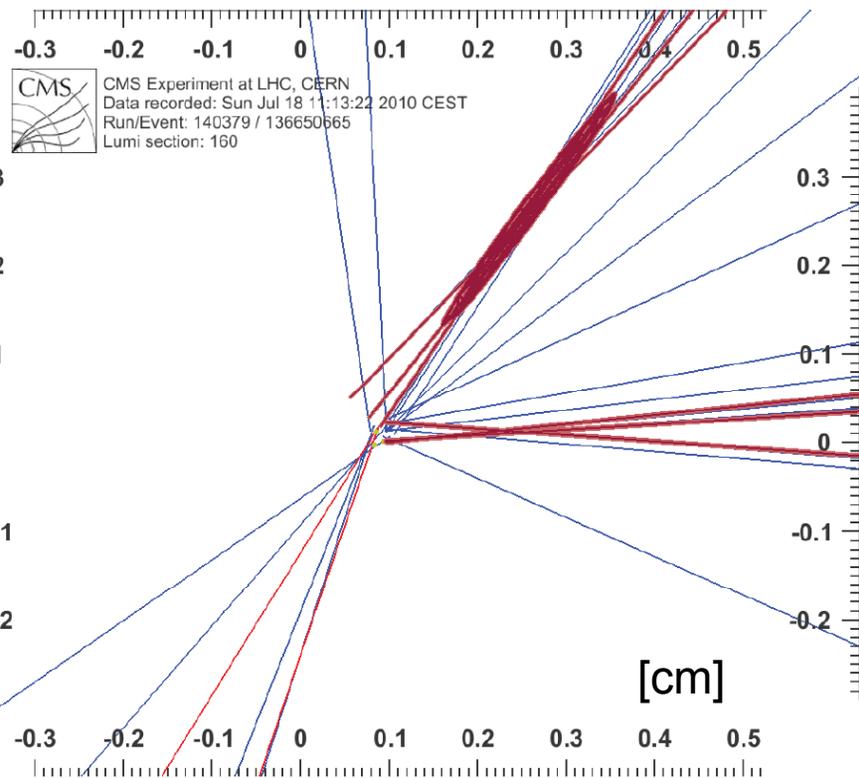
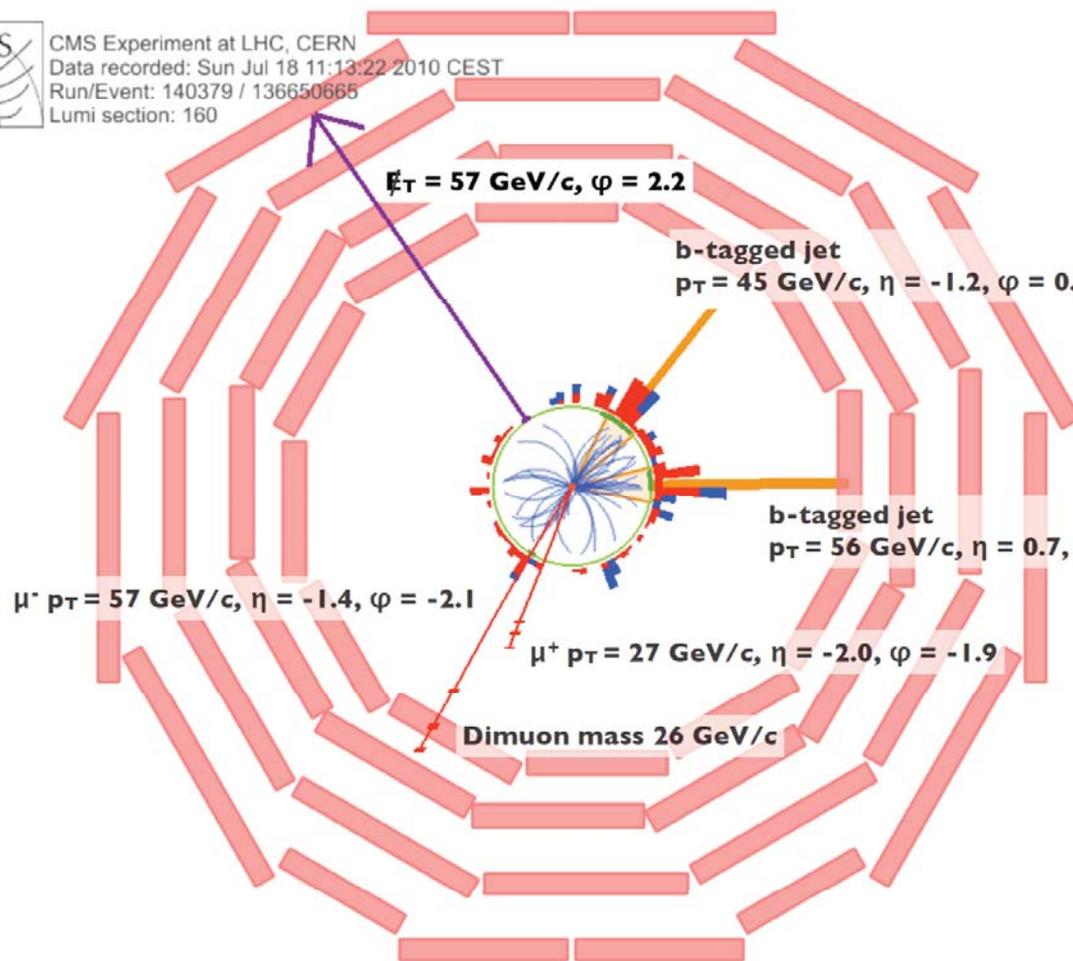
Tracking Provides: Prod/decay position



Tracking Provides: Prod/decay position



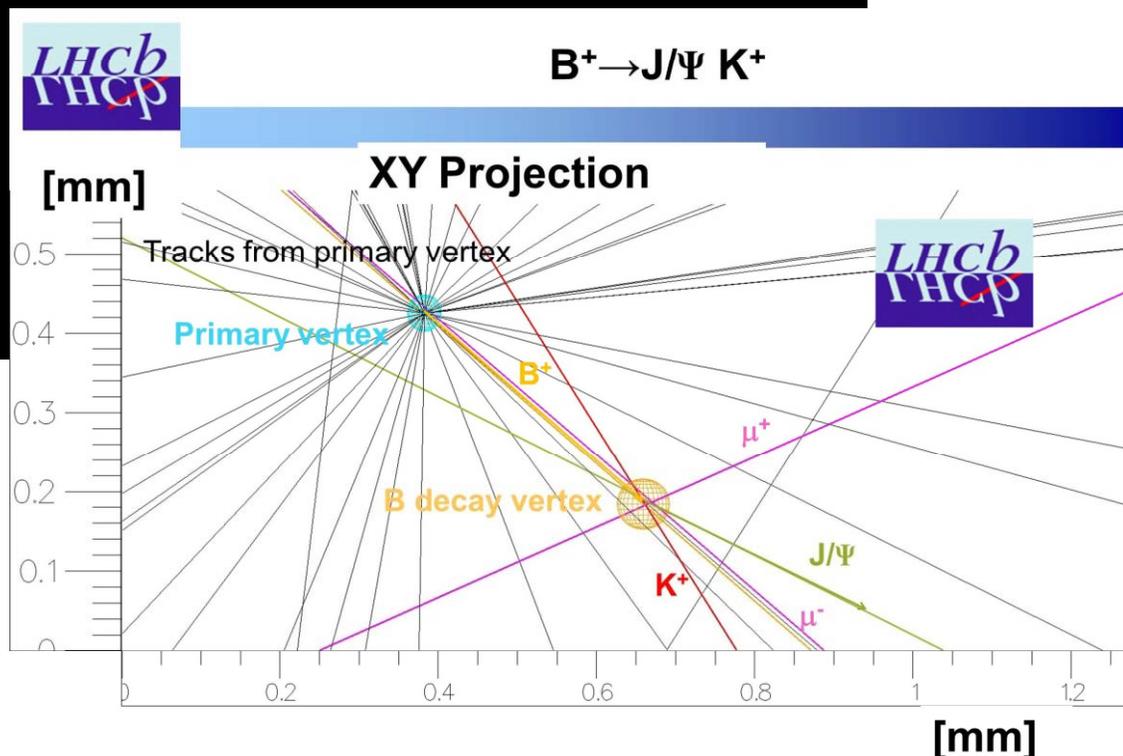
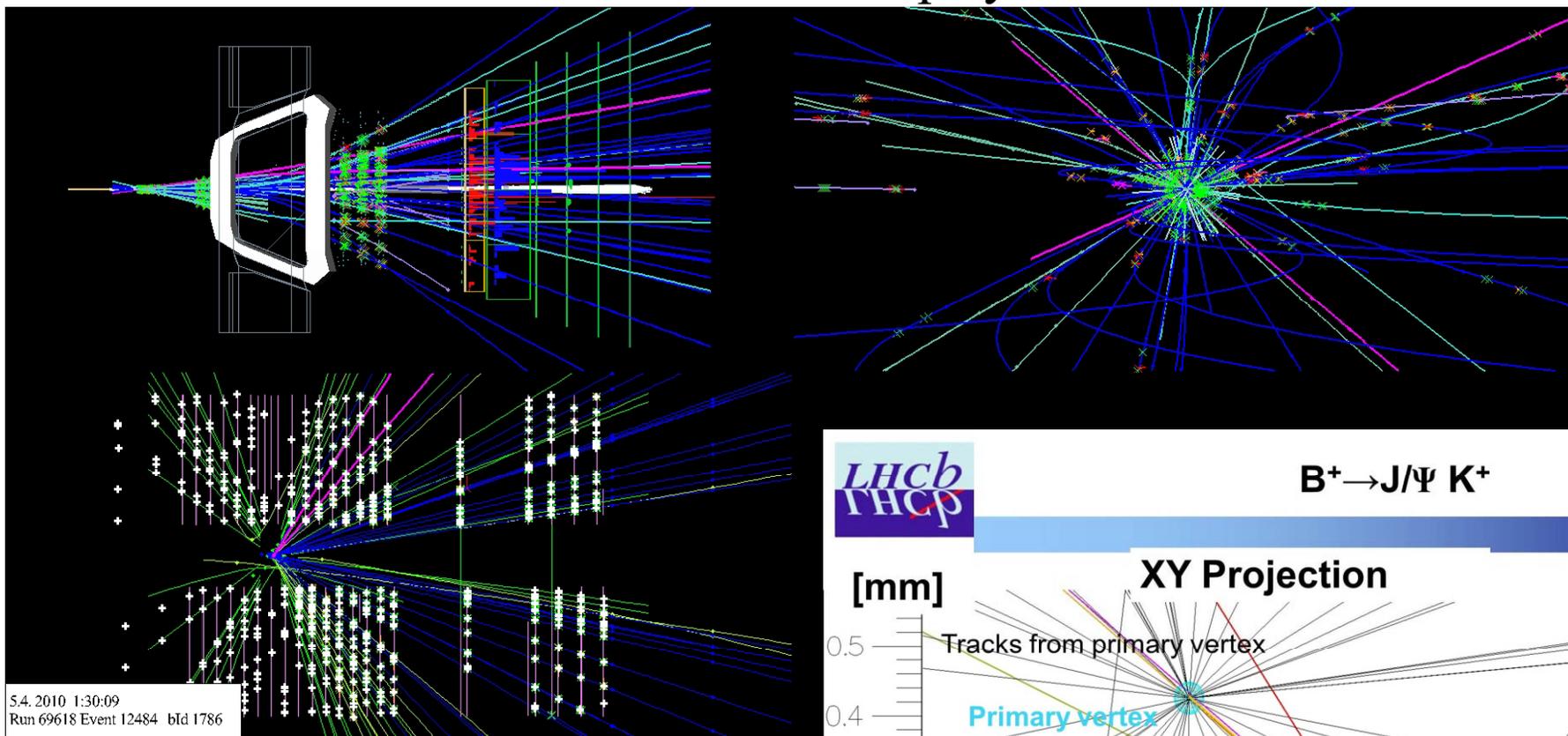
CMS Experiment at LHC, CERN
 Data recorded: Sun Jul 18 11:13:22 2010 CEST
 Run/Event: 140379 / 136650665
 Lumi section: 160



$t\bar{t}$ candidate, b-tagged jets

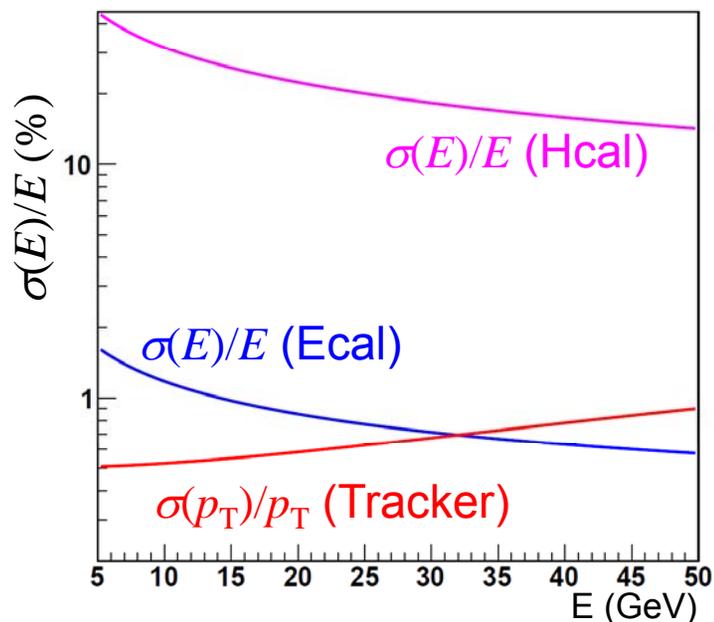
Tracking Provides: Prod/decay position

LHCb Event Display

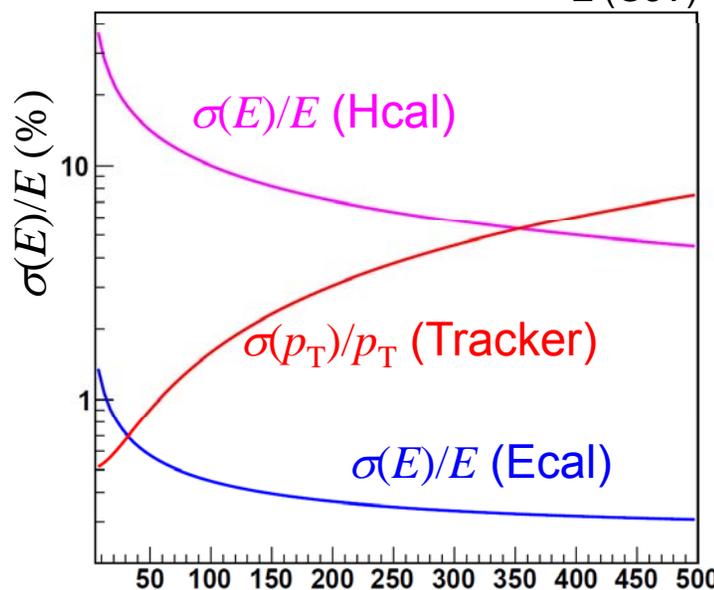


Tracking Provides: momentum

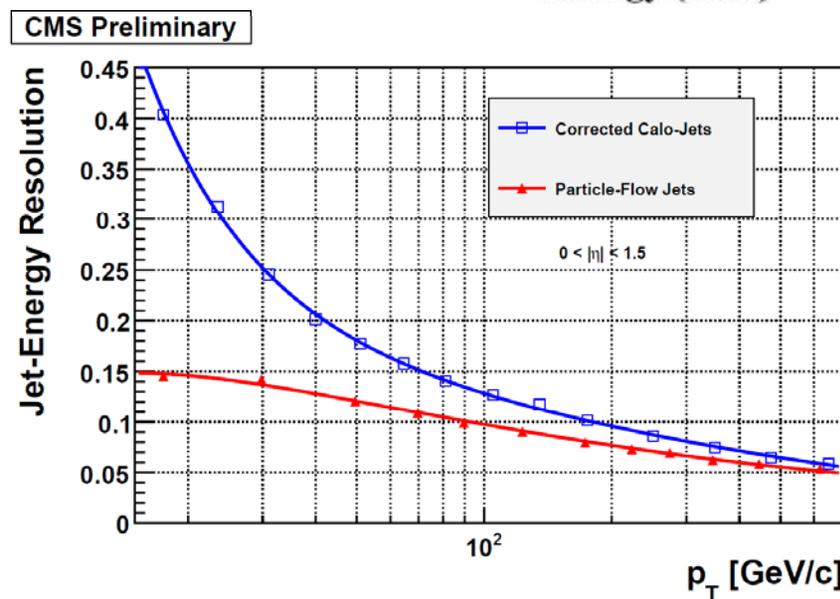
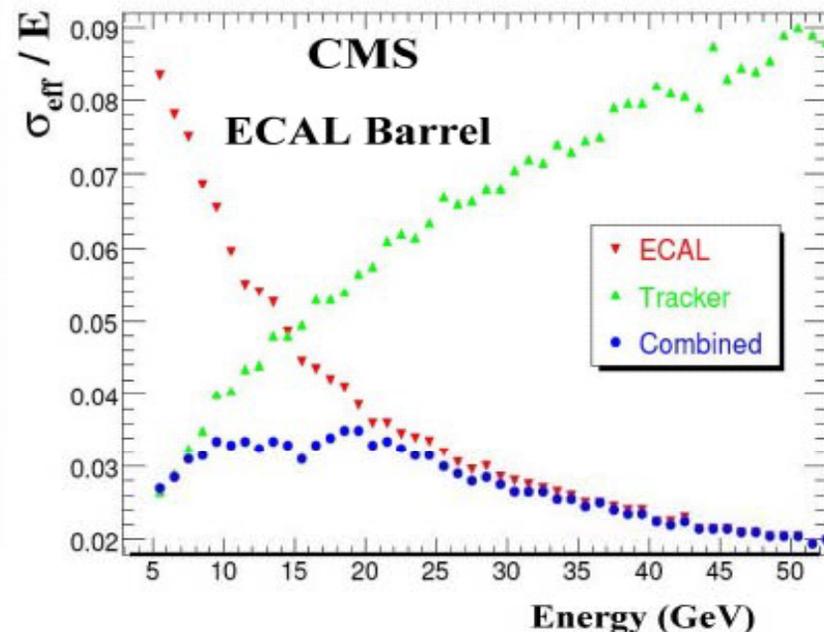
- Resolution complementary to calorimeters at low energies:



Basis of particle-flow algorithms to optimize resolution on final-state “objects” that are used for parton reconstruction



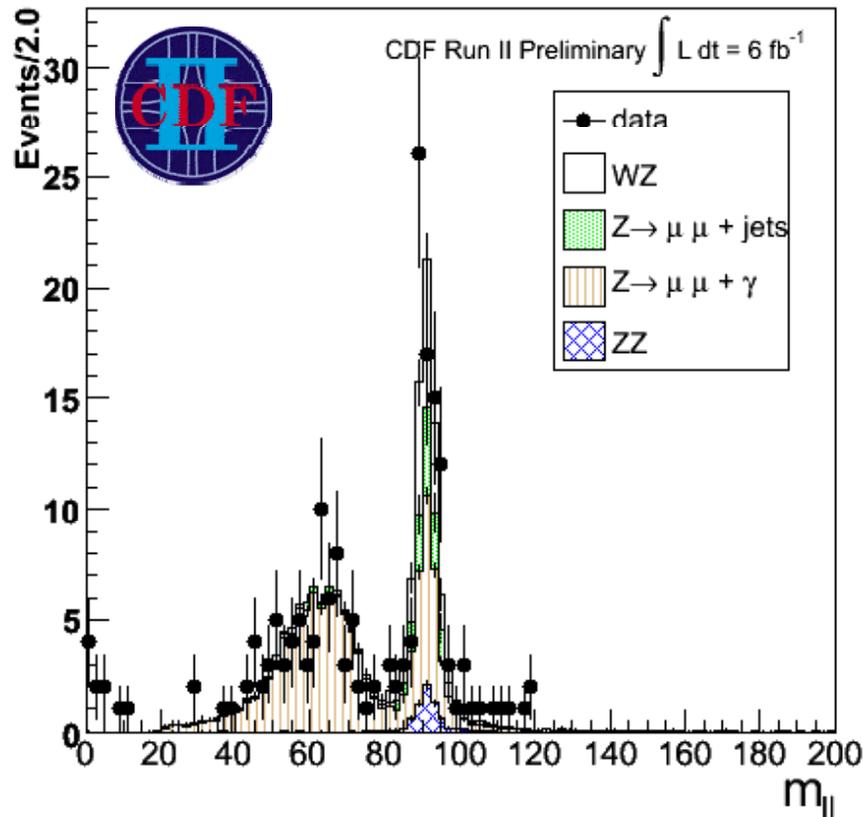
Resolutions from CMS Physics TDR



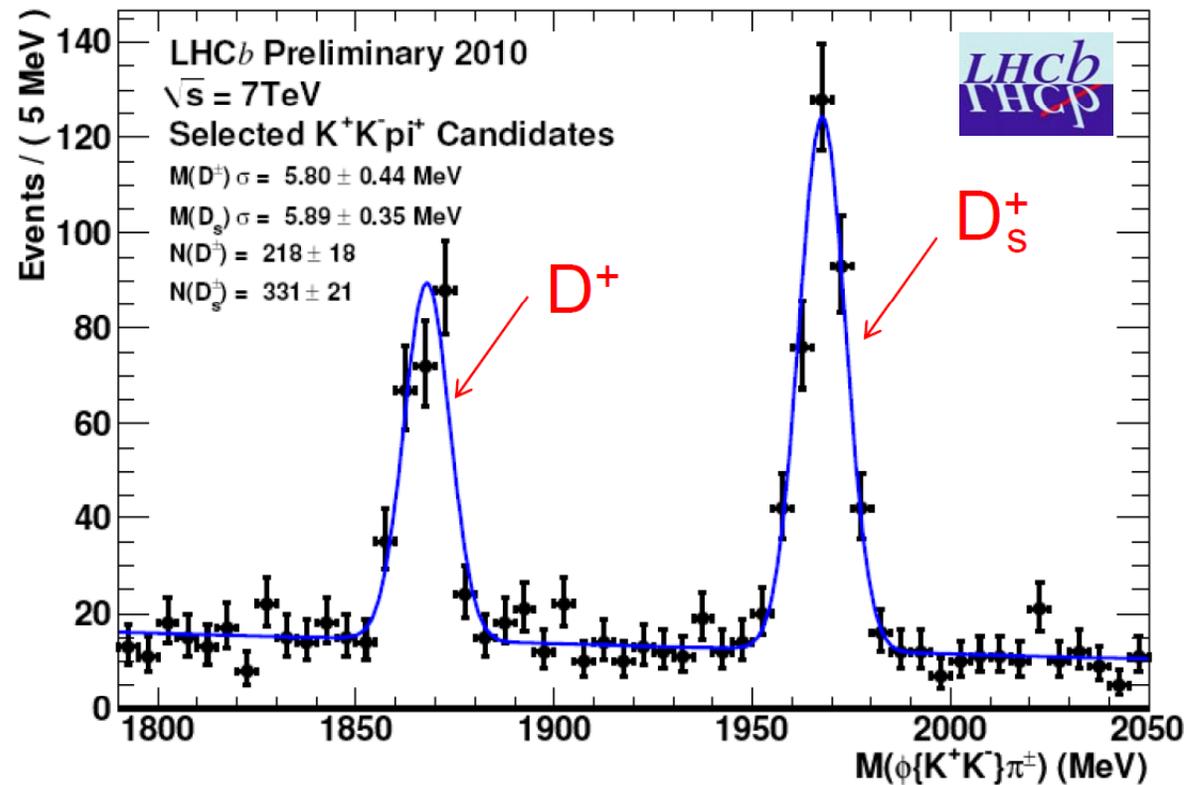
Tracking Provides: momentum

- Determination of particle four-vectors \rightarrow resonances

CDF: WZ and ZZ analysis

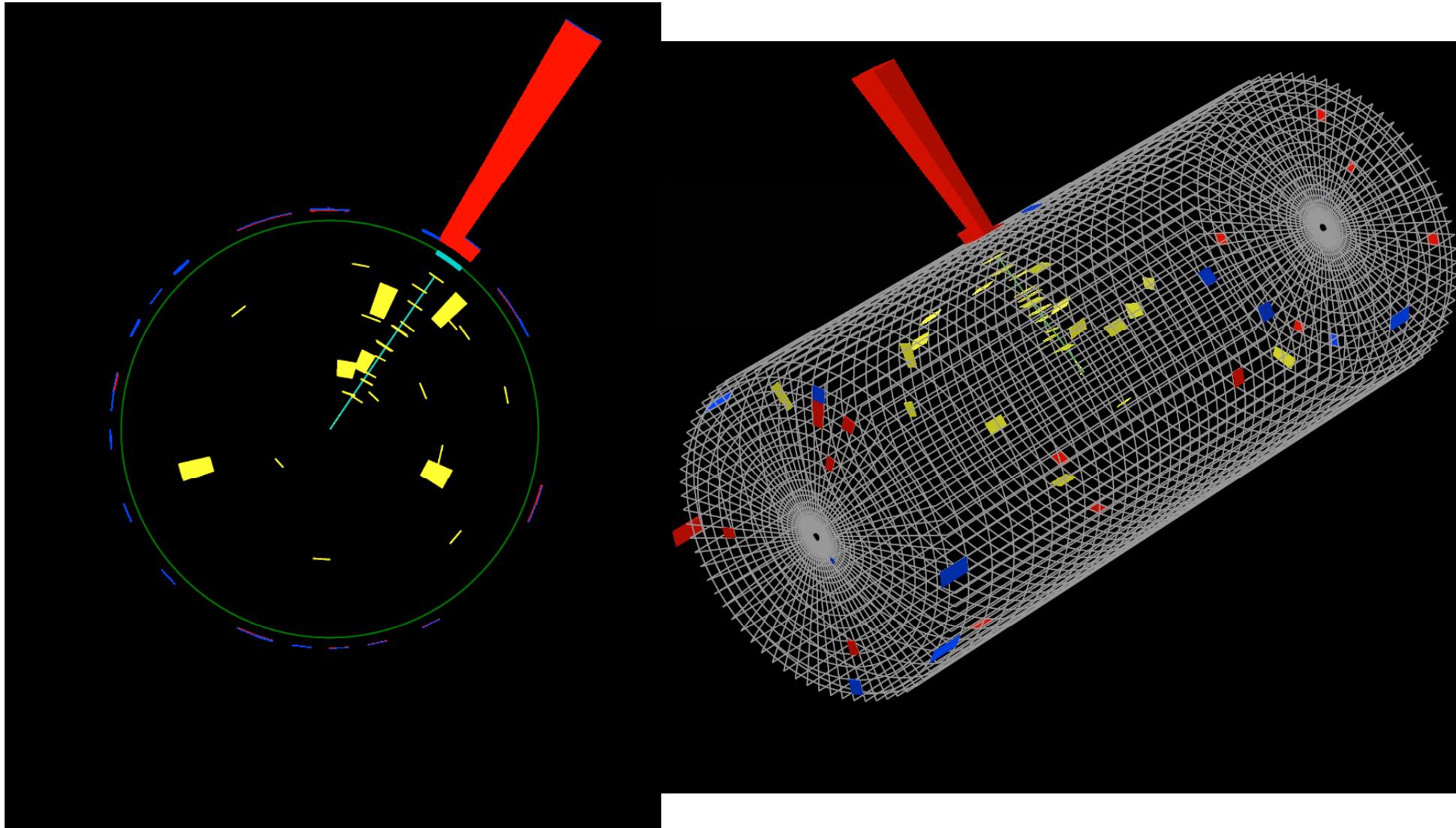


LHCb: exclusive charm reconstruction



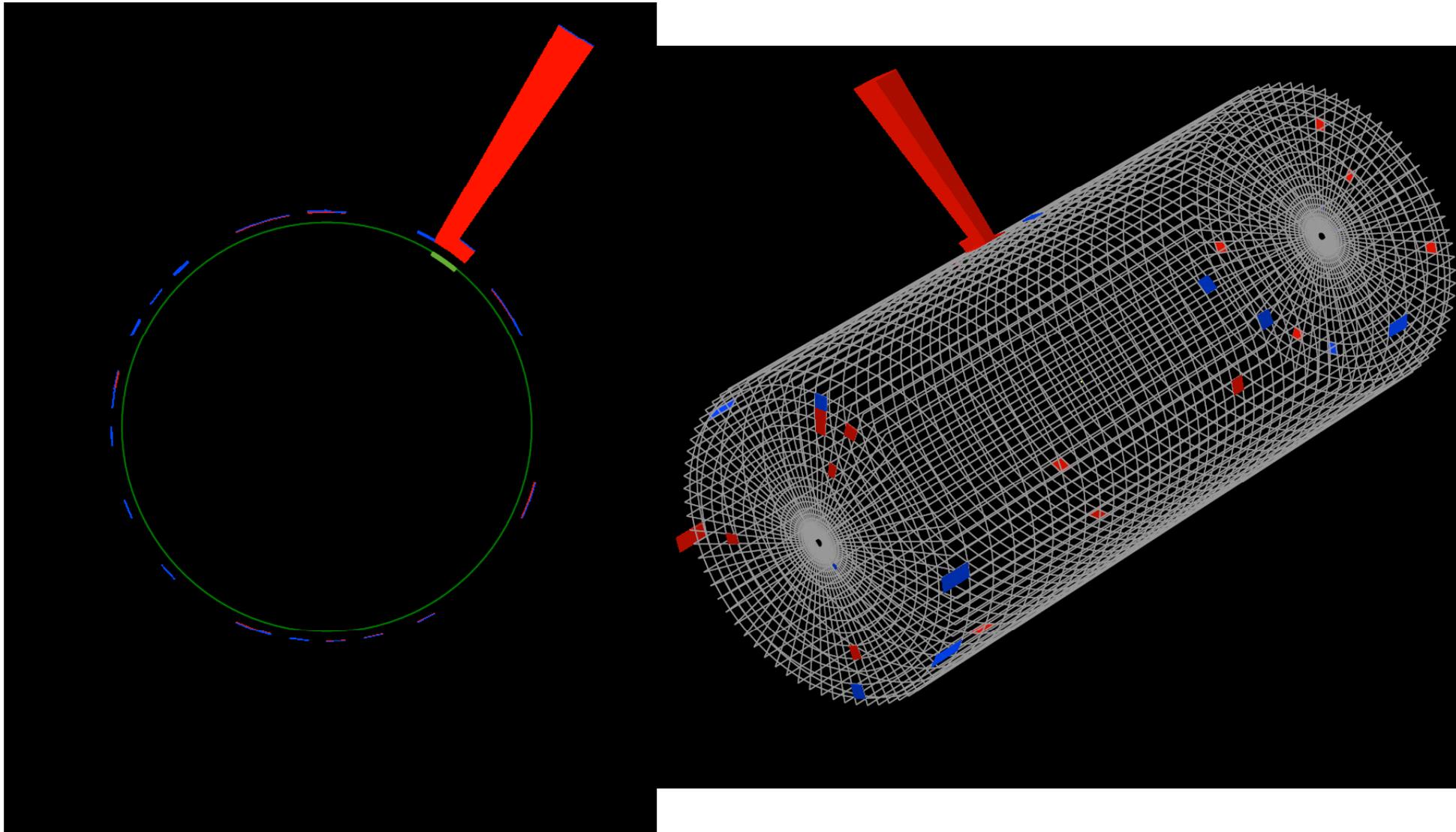
Tracking provides: Global objects

- Electron



Tracking provides: Global objects

- or photon?

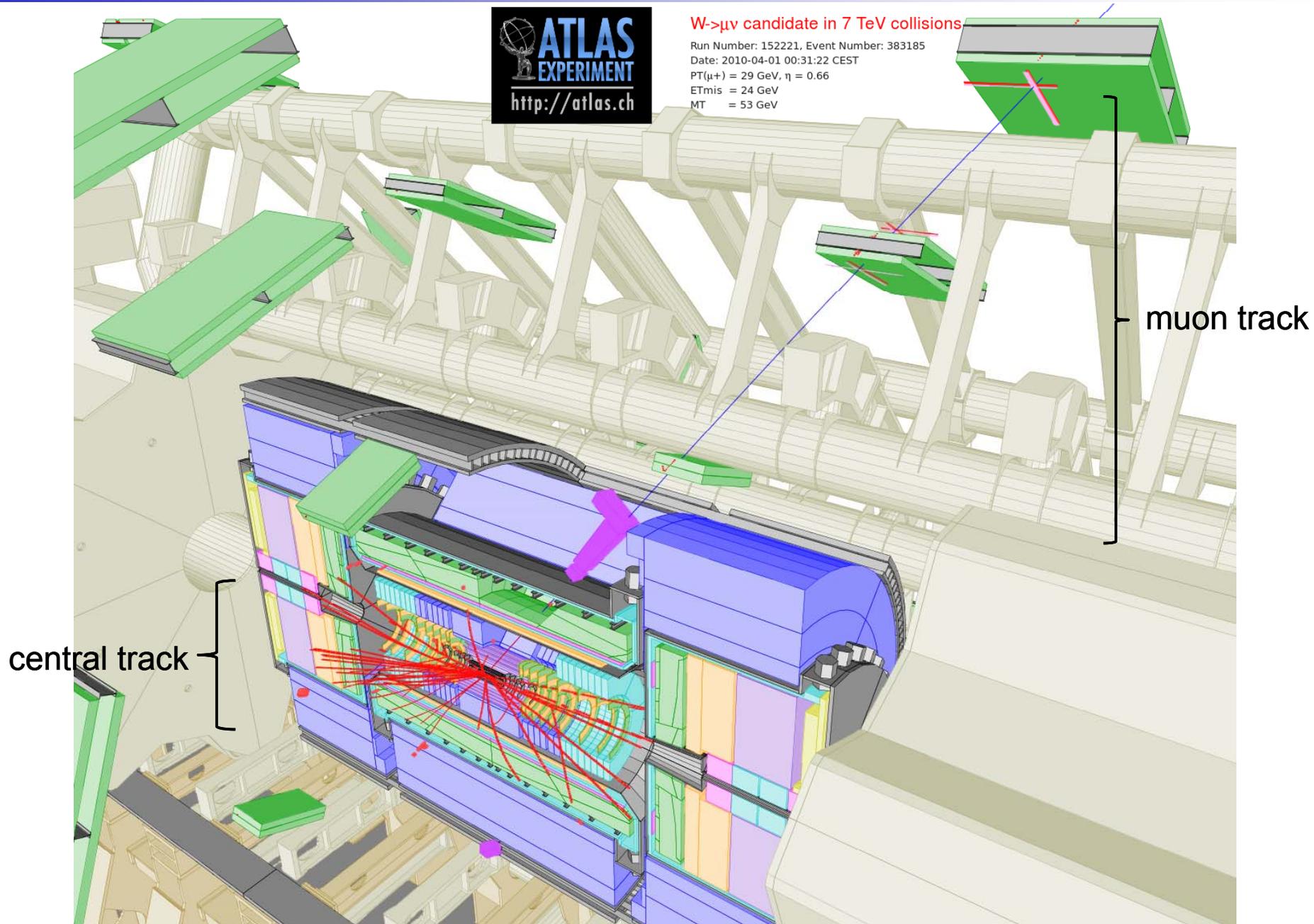


Tracking provides: Global objects



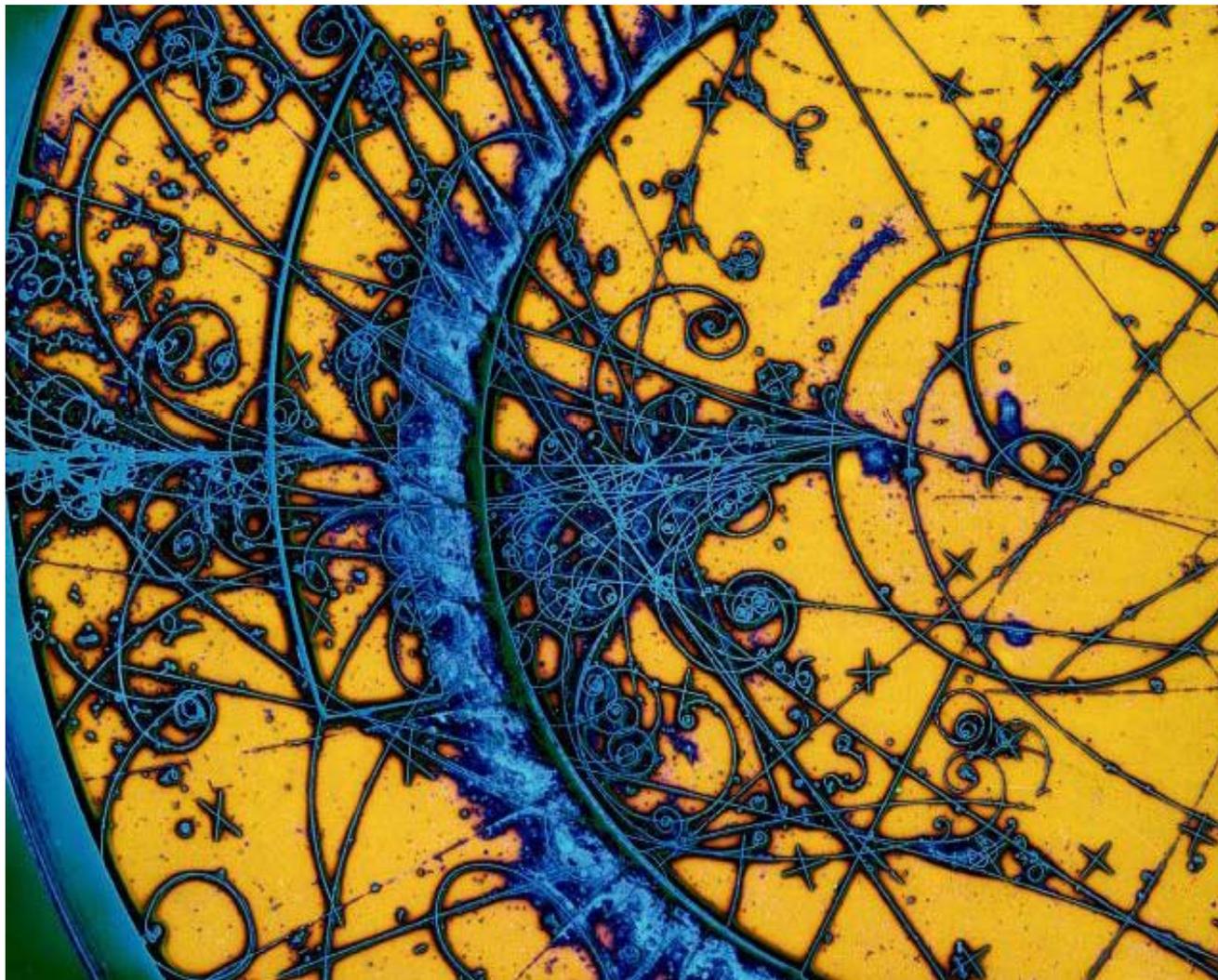
$W \rightarrow \mu\nu$ candidate in 7 TeV collisions

Run Number: 152221, Event Number: 383185
Date: 2010-04-01 00:31:22 CEST
PT(μ^+) = 29 GeV, $\eta = 0.66$
ET_{miss} = 24 GeV
MT = 53 GeV



Visualizing particle trajectories

- Start with the basics: (more detail later)



Lorentz force: charged particles follow a curved trajectory in a magnetic field

- radius of curvature inversely proportional to momentum
 - **need to measure:**
 - **magnitude of B field**
 - **radius of curvature**
 - Radius measurement implies knowing **where** the particle is at several points along its trajectory
 - the particle must interact with a detection medium to leave a trace
- ⇒ **Ionization**

Ionization Loss: Bethe-Bloch Equation

- Relativistic Formula: Bethe (1932), others added more corrections later
- Gives “stopping power” (energy loss = dE/dx) for charged particles passing through material:

$$-\frac{dE}{dx} = K z^2 \frac{Z}{A} \frac{1}{\beta^2} \left[\frac{1}{2} \ln \frac{2m_e c^2 \beta^2 \gamma^2 T_{max}}{I^2} - \beta^2 - \frac{\delta(\beta\gamma)}{2} \right]$$

where

A, Z : atomic mass and atomic number of absorber

z : charge of incident particle

β, γ : relativistic velocity, relativistic factor of incident particle

$\delta(\beta\gamma)$: density correction due to relativistic compression of absorber

I : ionization potential

T_{max} : maximum energy loss in a single collision; $T_{max} = \frac{2m_e c^2 \beta^2 \gamma^2}{1 + 2\gamma m_e/M + (m_e/M)^2}$

$\frac{K}{A} = 4\pi N_A r_e^2 m_e c^2 / A = 0.307075 \text{ MeV g}^{-1} \text{cm}^2$, for $A = 1 \text{ g mol}^{-1}$

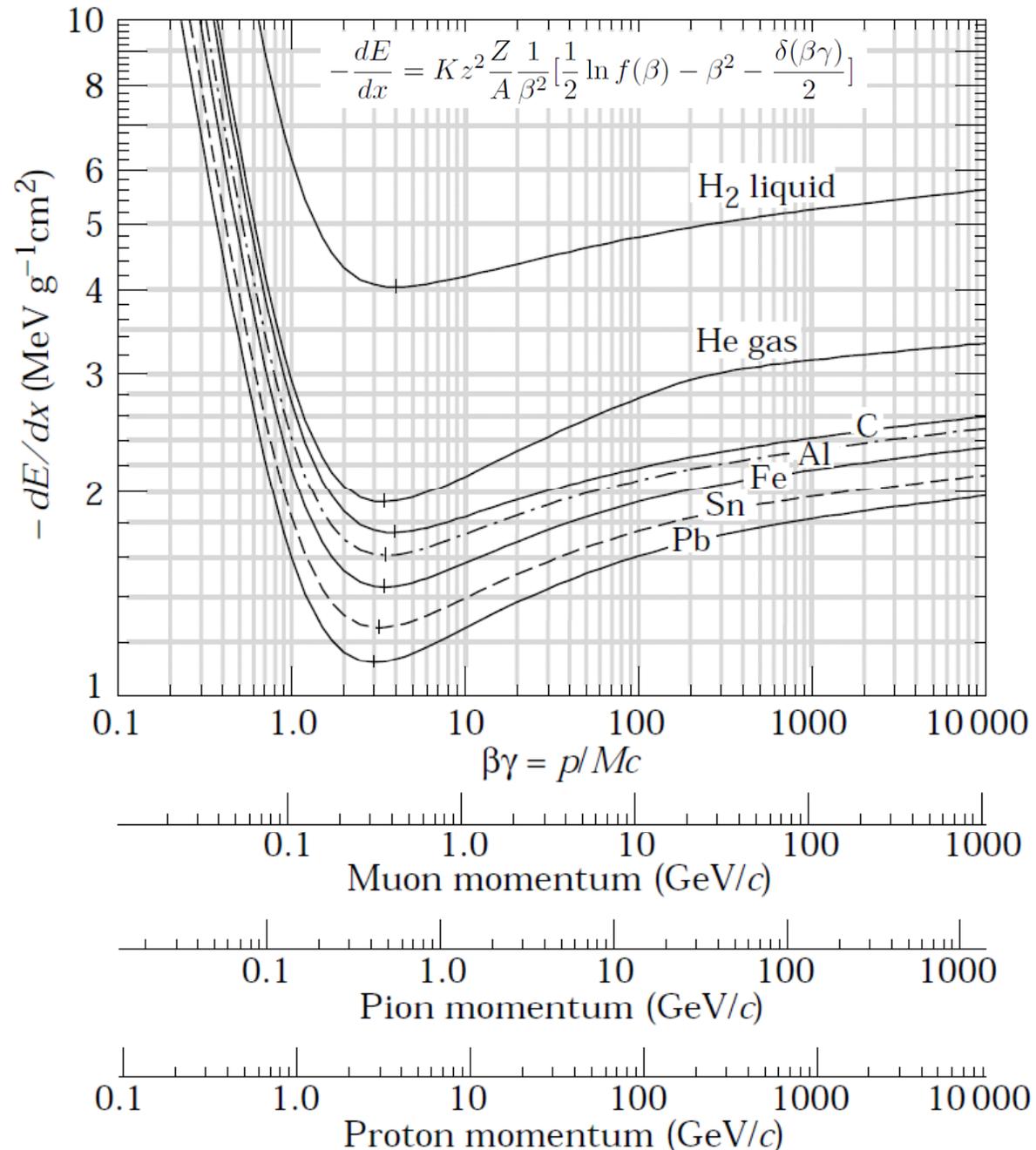
dE/dx has units of MeV cm²/g

x is ρs , where ρ is the material density, s is the pathlength

source for this and following: PDG

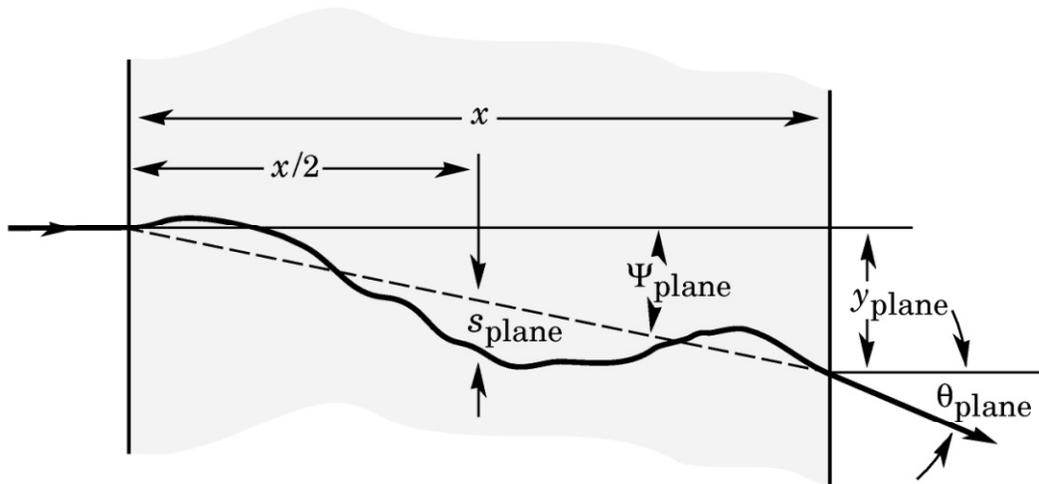
Ionization Loss: minimum ionization

- Position of minimum is a function of $\beta\gamma = p/Mc$
- occurs around $p/Mc = 3-3.5$
~ independent of material
- Characteristic shape of $1/\beta^2$ fall-off followed by relativistic rise
- “Rule of thumb”:
 $dE/dx \sim 2 \text{ MeV/cm} \times \rho \text{ (g/cm}^3\text{)}$
- Typical values:
 - liquids/solids:
~ few MeV/cm
 - gases:
~ few keV/cm
- ⇒ valid over range of most common momenta in collider experiments



First complication: Multiple Scattering

- Often called **Multiple Coulomb Scattering**: momentum transfer between particle and medium diverts particles from straight path
 - usually electromagnetic; hadronic interactions contribute, too
 - scattering angles well-described by Molière theory:



$$\psi_{\text{plane}}^{\text{rms}} = \frac{1}{\sqrt{3}} \theta_{\text{plane}}^{\text{rms}} = \frac{1}{\sqrt{3}} \theta_0$$

$$y_{\text{plane}}^{\text{rms}} = \frac{1}{\sqrt{3}} x \theta_{\text{plane}}^{\text{rms}} = \frac{1}{\sqrt{3}} x \theta_0 ,$$

$$s_{\text{plane}}^{\text{rms}} = \frac{1}{4\sqrt{3}} x \theta_{\text{plane}}^{\text{rms}} = \frac{1}{4\sqrt{3}} x \theta_0$$

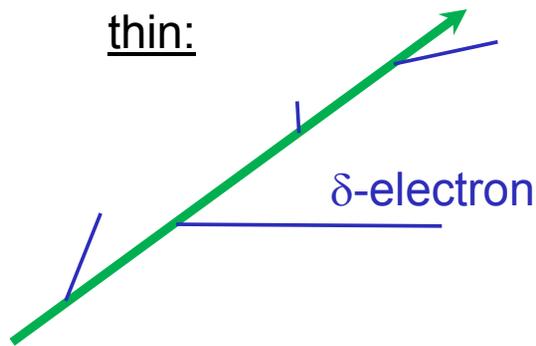
Here θ_0 is a (mostly) gaussian distribution defined as $\theta_0 = \theta_{\text{plane}}^{\text{rms}} = \frac{1}{\sqrt{2}} \theta_{\text{space}}^{\text{rms}}$ with a width of

$$\theta_0 = \frac{13.6 \text{ MeV}}{\beta c p} z \sqrt{x/X_0} \left[1 + 0.038 \ln(x/X_0) \right]$$

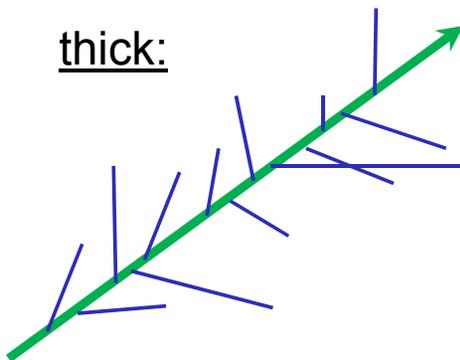
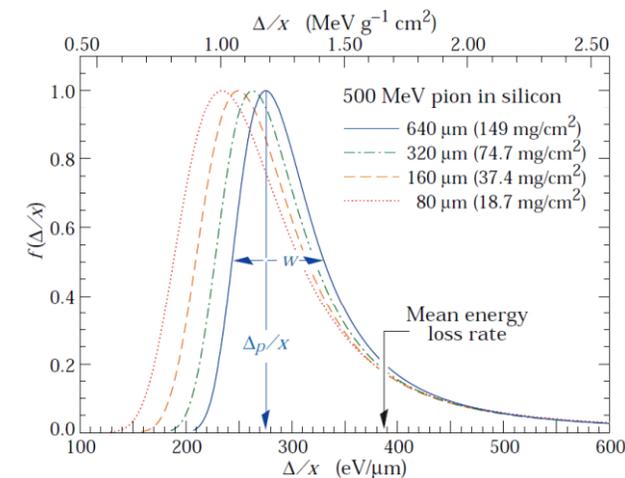
where X_0 = radiation length of material

Second Complication: Energy Loss

- Energy loss in material can be significant (c.f. ATLAS or CMS trackers): radius of curvature *increases* along path as p falls
- **Fluctuations in Energy Loss** in thin/thick samples of material:



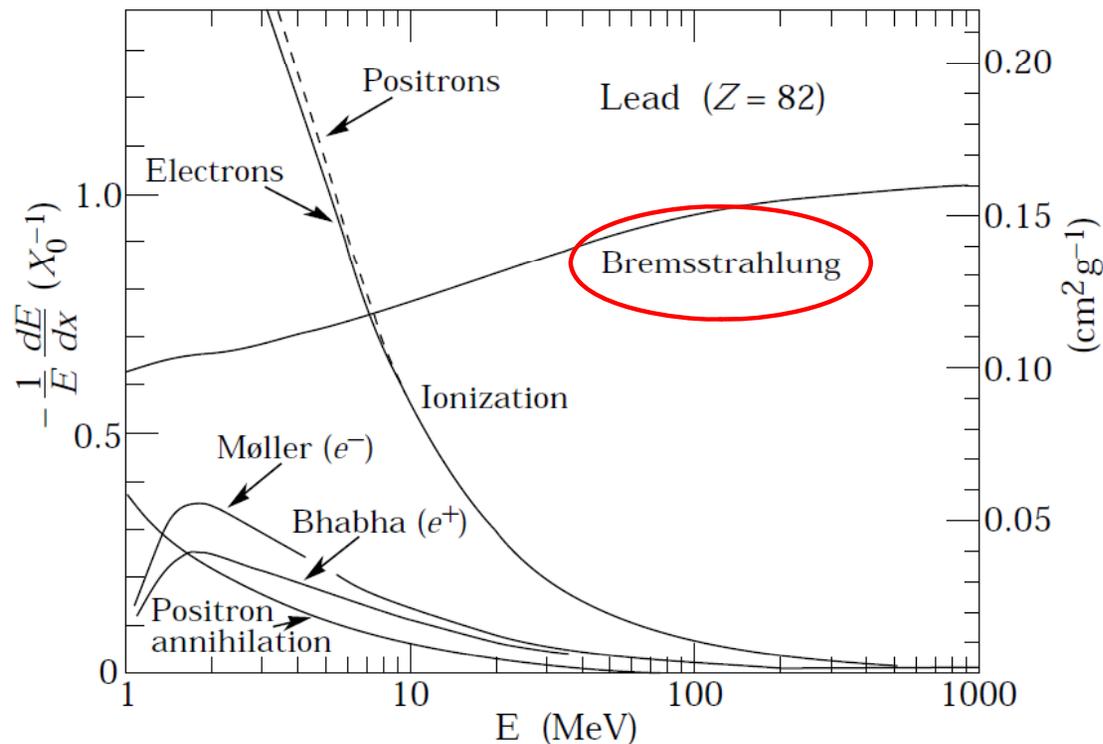
- Few collisions
 - some with large energy transfer
 - large fluctuations in energy loss
- ⇒ **Landau distribution**
- e.g.: 300um thick Si sensor:
 $\Delta E_{mp} = 82 \text{ keV}$, $\langle \Delta E \rangle \sim 115 \text{ keV}$



- Many collisions
- wide spectrum of energies
- distribution tends toward gaussian
- $\Delta E_{mp} \approx \langle \Delta E \rangle$

Third Complication: Bremsstrahlung

- Large (can be catastrophically so) discrete energy loss
- acceleration due to interaction with coulomb field of nuclei
- Dominant energy loss mechanism for electrons and positrons:



$$\frac{d\sigma}{dk} = \frac{A}{X_0 N_A k} \left(\frac{4}{3} - \frac{4}{3}y + y^2 \right)$$

$$\propto Z^2 \alpha^3$$

where

k = photon energy

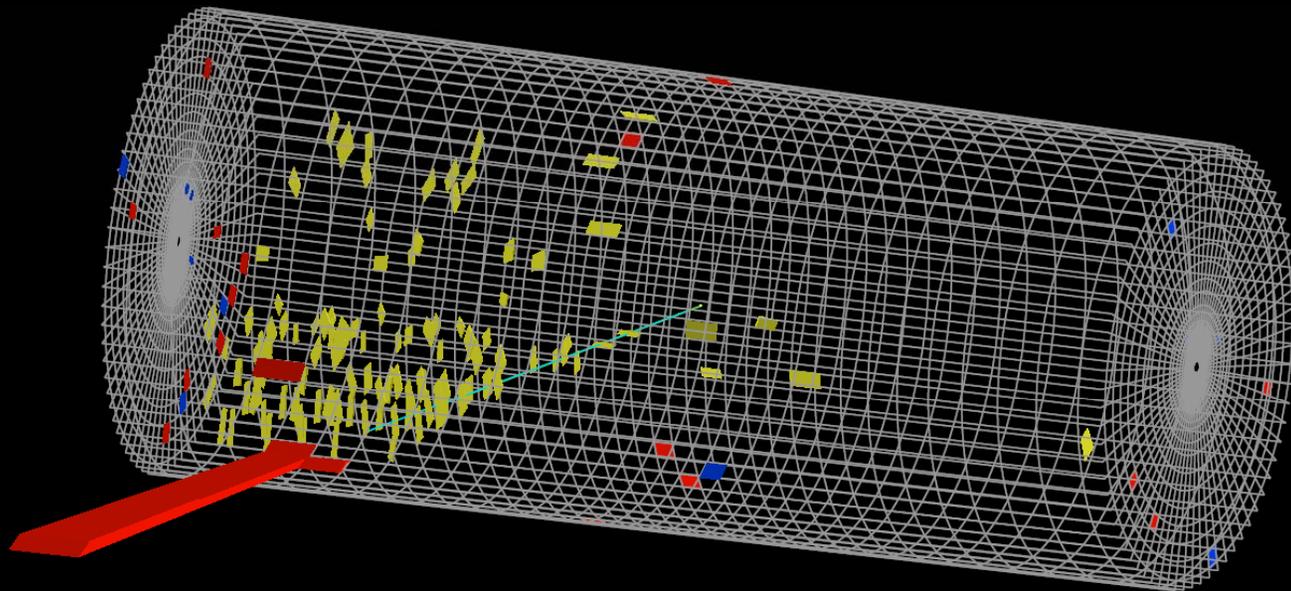
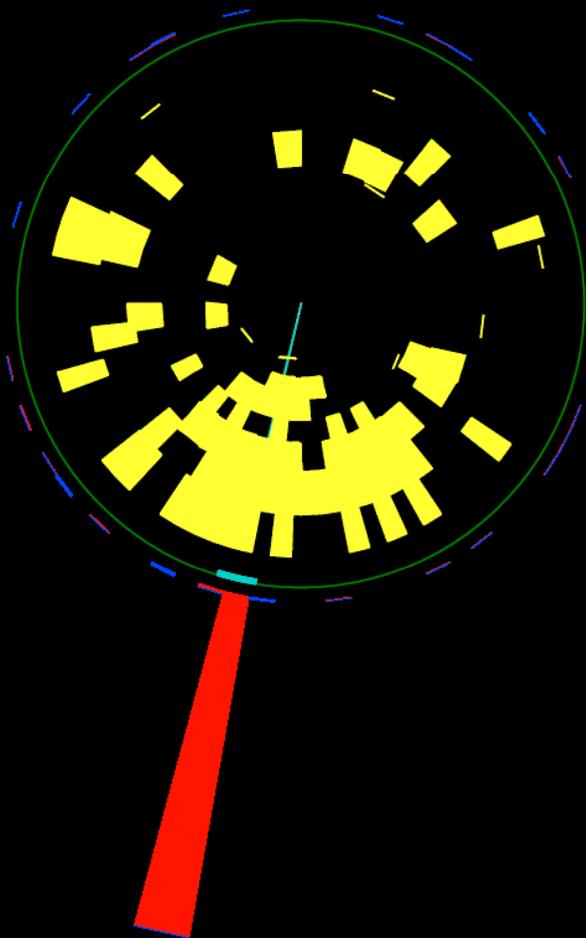
$y = k/E$

E = lepton energy

Overall probability of photon emission $\propto m^{-4}$
 becomes important for high energy muons

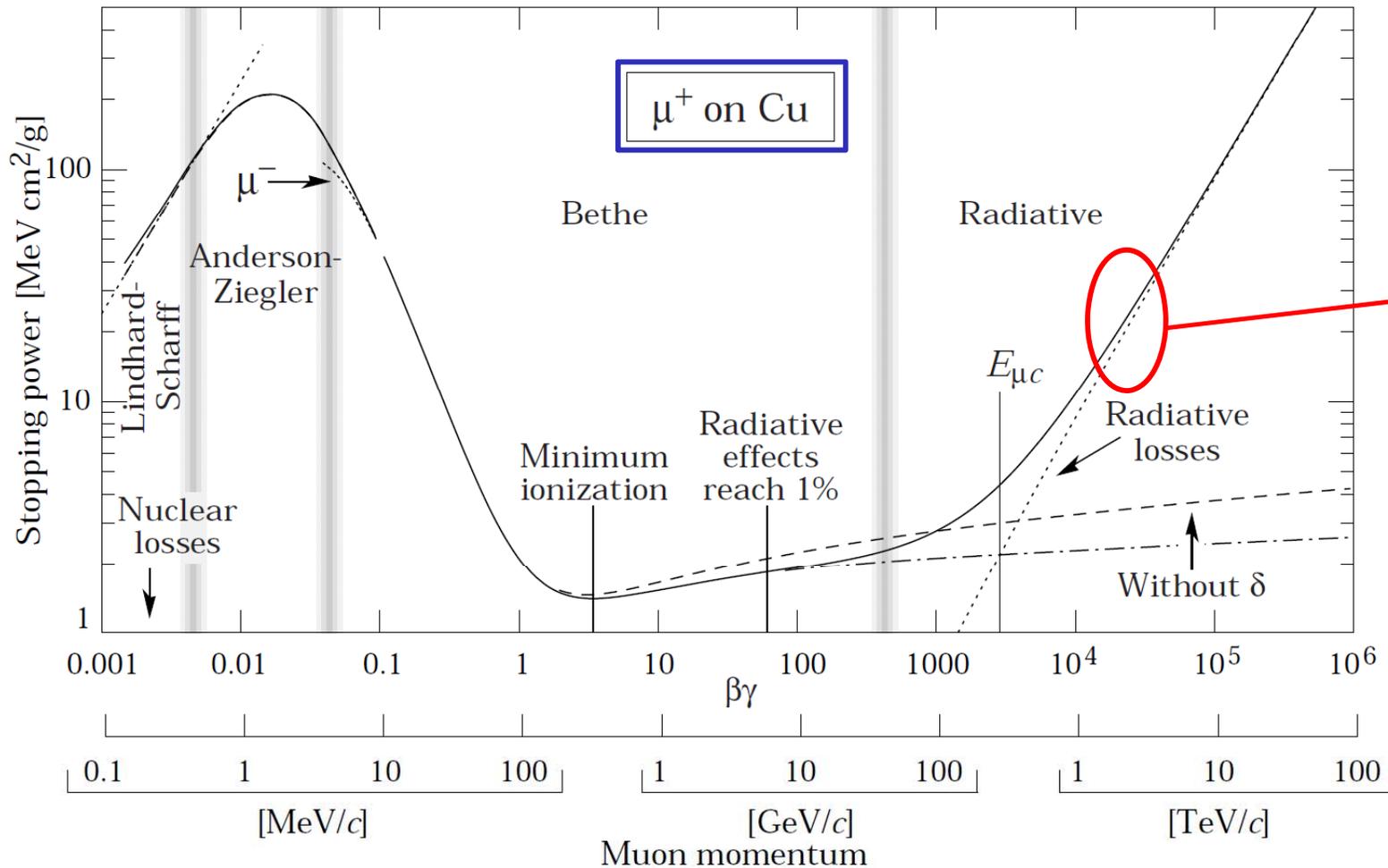
Third Complication: Bremsstrahlung

- Single 100 GeV electron in CMS tracker:



Ionization Loss: full spectrum

- Full dE/dx description includes many different effects



multi-TeV muons at LHC are NOT minimum ionizing!

Tracking Basics

- Assuming we can make hits now, what do we do with them?
- Charged particles curve in an axial magnetic field:
 - transverse momentum p_T (Gev/c) = $0.3 B R$
 - R is the radius of curvature (m), B is field strength (T)
- What matters is how well we can measure the radius R
 - we actually measure the sagitta s
 - A little algebra

$$\frac{L/2}{R} = \sin \frac{\theta}{2} \approx \frac{\theta}{2} \text{ for small angles; } \theta \approx \frac{L}{R} = \frac{0.3BL}{p_T}$$

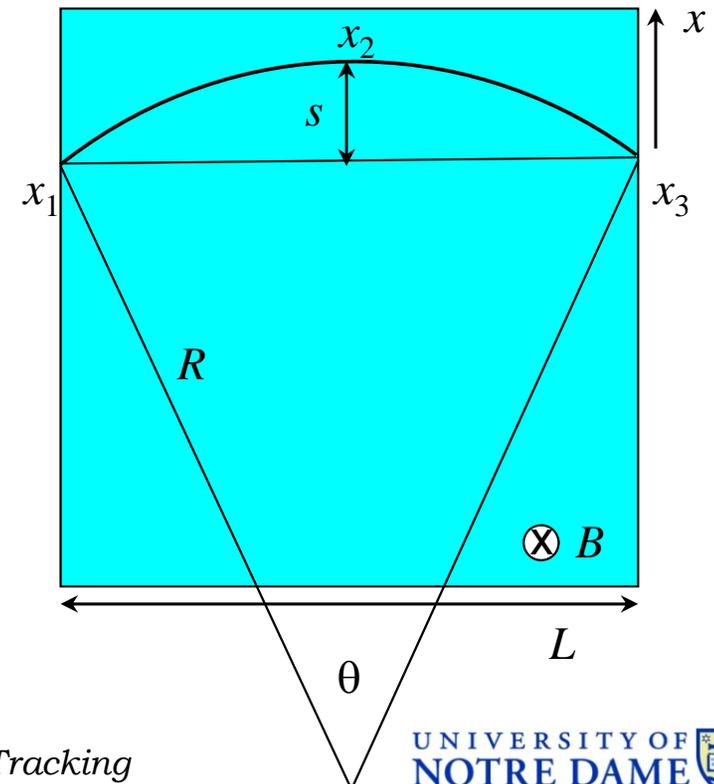
$$s = R \left(1 - \cos \frac{\theta}{2} \right) \approx R \left(1 - \left(1 - \frac{\theta^2}{8} \right) \right) = R \frac{\theta^2}{8} \approx \frac{0.3BL^2}{8p_T}$$

For three points, $s = x_2 - \frac{1}{2}(x_1 + x_3)$

$$\rightarrow ds = dx_2 - dx_1/2 - dx_3/2$$

assuming $\sigma(x) \equiv dx$ (uncorrelated errors)

$$\sigma^2(s) = \sigma^2(x) + 2(\sigma^2(x)/4) = 3/2 \sigma^2(x)$$



Tracking Basics



- Putting all of this together (for a three-hit tracker):

$$\left. \frac{\sigma(p_T)}{p_T} \right|^{meas.} = \frac{\sigma_s}{s} = \frac{\sigma_x}{s} \sqrt{3/2} = \frac{\sigma_x \cdot p_T}{0.3 \cdot BL^2} \sqrt{96}$$

where σ_x is the single-hit resolution.

- Note that this quantity $\sigma(p_T)/p_T$
 - degrades **linearly** with σ_x and p_T
 - improves **linearly** with B
 - improves **quadratically** with L

- For N ($N > 10$) equally-spaced points,

Gluckstern, NIM **24** (1963) 381

$$\left. \frac{\sigma(p_T)}{p_T} \right|^{meas.} = \frac{\sigma_x \cdot p_T}{0.3 \cdot BL^2} \sqrt{720/(N+4)}$$

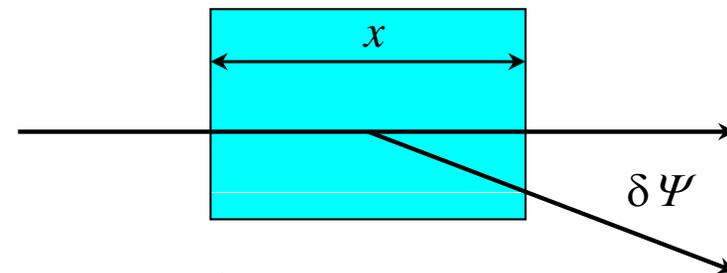
So, $\frac{\sigma(p_T)}{p_T^2}$ is a measure of performance for a given tracker

Effects of Complications

- multiple coulomb scattering in material

- scattering in a thin layer of material introduces random angular errors
- this adds an additional error to the p_T measurement:

$$\left. \frac{\sigma(p_T)}{p_T} \right|^{ms} = \frac{28 \text{ MeV}}{0.3 \cdot BL} \sqrt{x/X_0} \frac{p_T}{\beta c p}$$



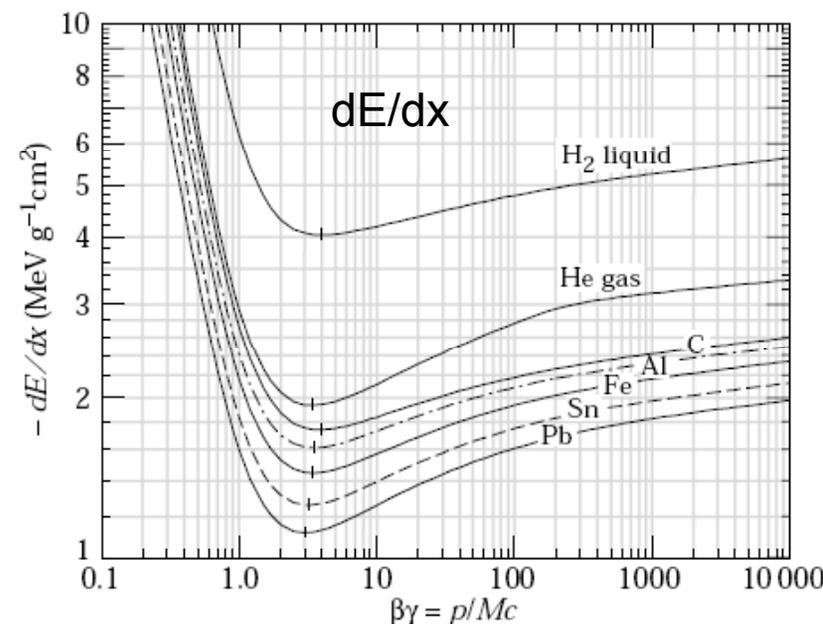
X_0 = radiation length of material

- Ionization Energy Loss

- curvature decreases with pathlength
- fluctuations in energy loss can be large if there is a lot of material:

$$\left. \frac{\sigma(p_T)}{p_T} \right|^{Eloss} \sim \frac{x/X_0}{p}$$

⇒ Both effects decrease with p_T



Detector Techniques



- Now that we have a bit of theory, let's take a look at how one can use ionization loss to provide the hits used in track fitting.
- Three basic groups of tracking detectors:
 - gaseous
 - solid state
 - scintillating
- Each converts the ionization left by the passing of a charged particle into an electrical signal
 - charge collection
 - light collection/conversion with photo-cathode
- Ideally, we would build a fast electronic bubble chamber with sub-micron hit resolution and infinite three-dimensional granularity
 - unfortunately, reality intervenes and we have to actually be able to pay for it, never mind actually build it
 - many compromises and optimizations are required

Some Detector Physics Basics



- Reminder:

Ionization Energy loss: on average $\sim 2 \text{ MeV/cm } \rho/(\text{g cm}^{-3})$

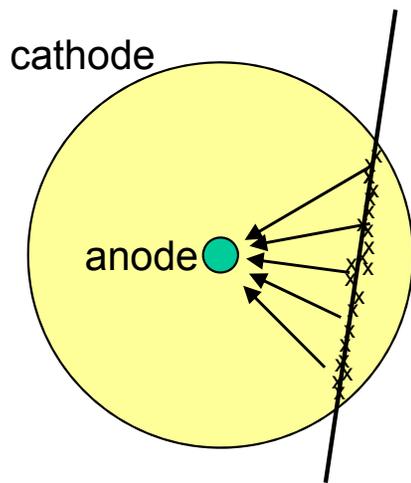
- liquids/solids: $\sim \text{few MeV/cm}$
- gases: $\sim \text{few keV/cm}$

- Ionization potential for materials:

- primary ionization potential ($\sim 10\text{-}15 \text{ eV}$) plus some additional energy to separate electron and ion: **total of $\sim 30\text{eV}$ per atom**
- So, for 1 cm of gas, 3000 eV lost \Rightarrow 100 primary electron/ion pairs
- these ionize further, so add another factor 2-3 \Rightarrow 200-300 e⁻/cm
- (**Note:** *not* a very big signal!)
 - detectors based on ionized gas need **Multiplication**
 - solid-state detectors are ok in this regard
 - can't be too thick, though
 - » problems with multiple scattering

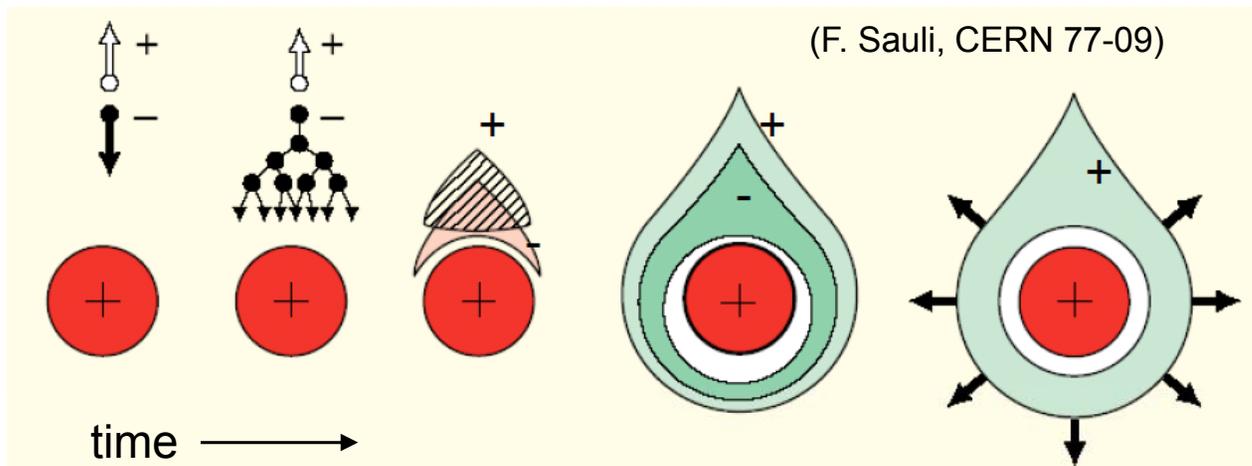
Charge Multiplication

- Small radius wires with large voltage; ionized electrons drift in:



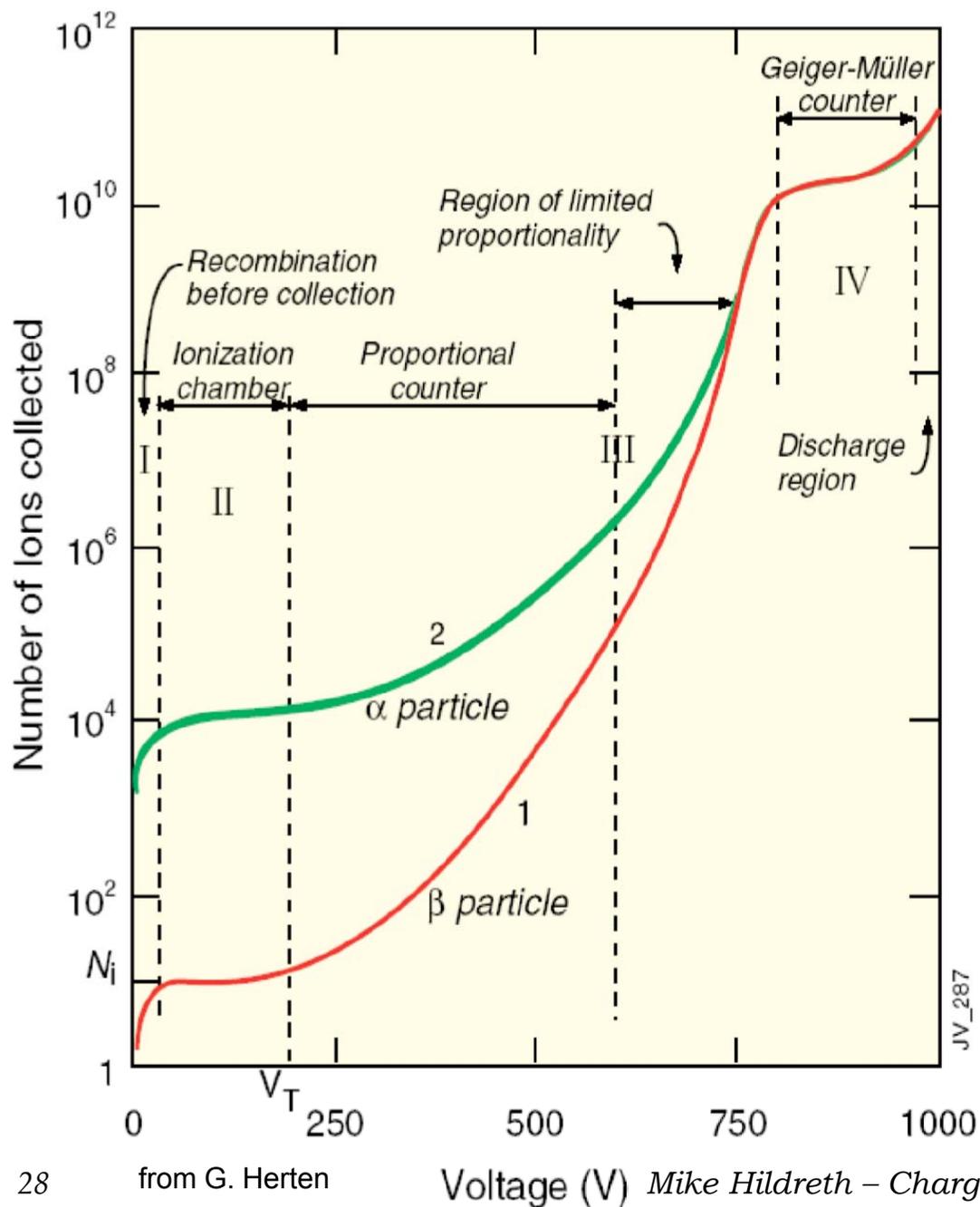
- because $E \propto 1/r$, fields near wire become very large ($>10\text{V}/\mu\text{m} = 10\text{kV}/\text{cm}$)
- electrons reach energies sufficient to ionize gas
- secondary electrons also accelerated

- For sufficiently large fields, an avalanche forms \Rightarrow large amount of charge deposited on anode (sense) wire



gas must contain quenching agents to absorb photons generated in avalanche

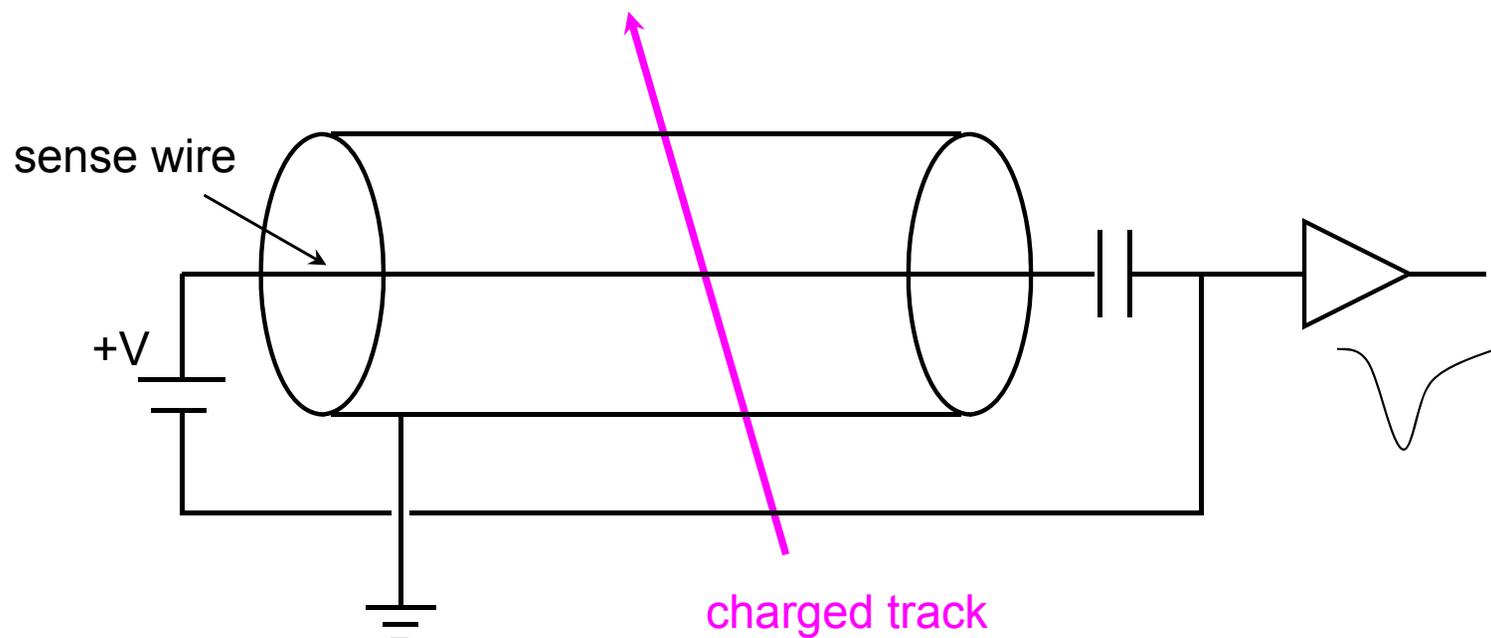
SWPC Operational Modes



- ionization mode
 - full charge collection
 - no multiplication, gain ~ 1
- proportional mode
 - multiplication of ionization
 - signal proportional to dE/dx
 - secondary avalanches must be quenched
 - gain $\sim 10^4 - 10^5$
- limited proportional mode
 - (saturated, streamer)
 - strong photoemission
 - secondary avalanches require strong quenching or HV pulsing
 - gain $\sim 10^{10}$
- Geiger mode
 - massive photoemission over full length of anode wire
 - discharge stopped by HV cut

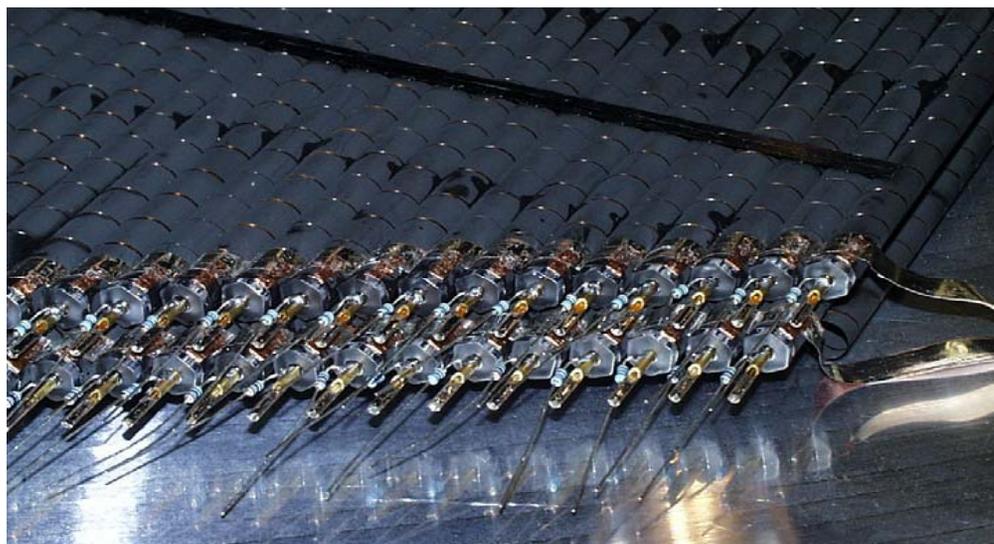
Gaseous Tracking Detectors: Geiger

- Simplest possible device
- Central (anode) sense wire
- Large voltage difference causes electrons to drift
- Charge avalanche occurs due to large fields near wire surface
- Binary (hit or not) – no attempt to measure timing, pulse height, etc.
- huge signals (given correct gas and voltage) \Rightarrow simple electronics



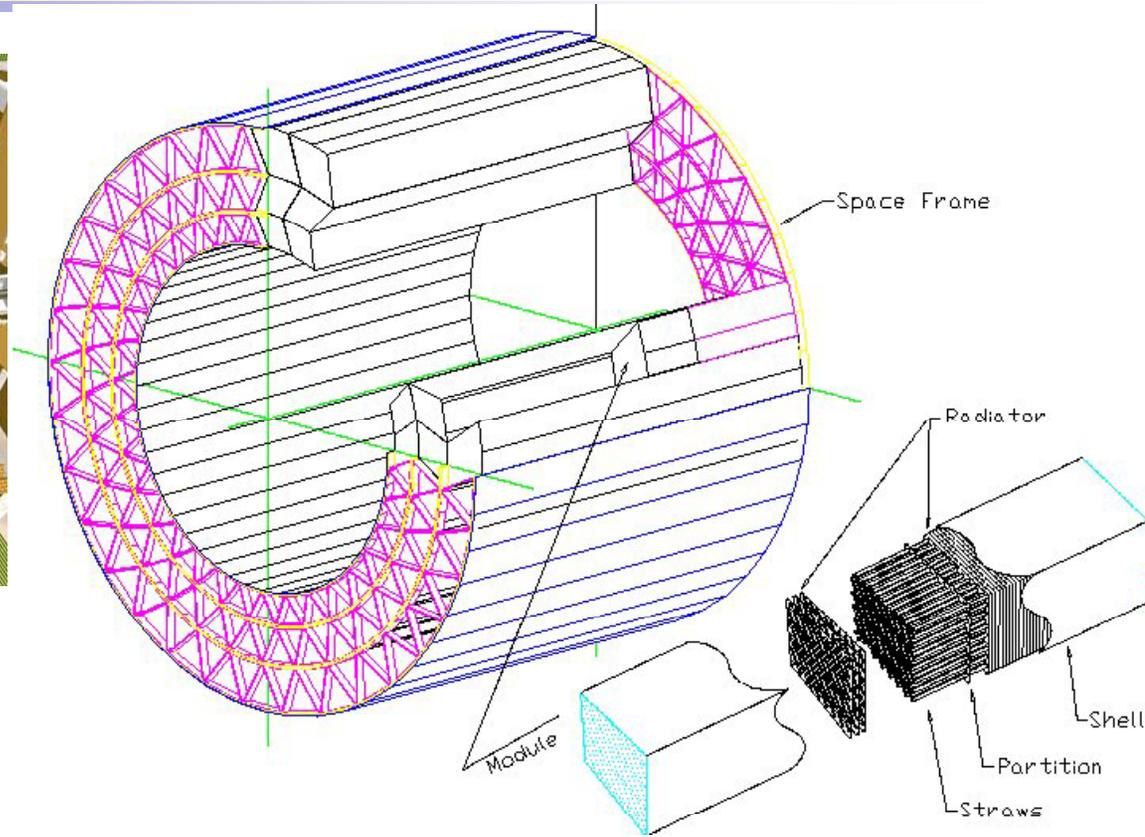
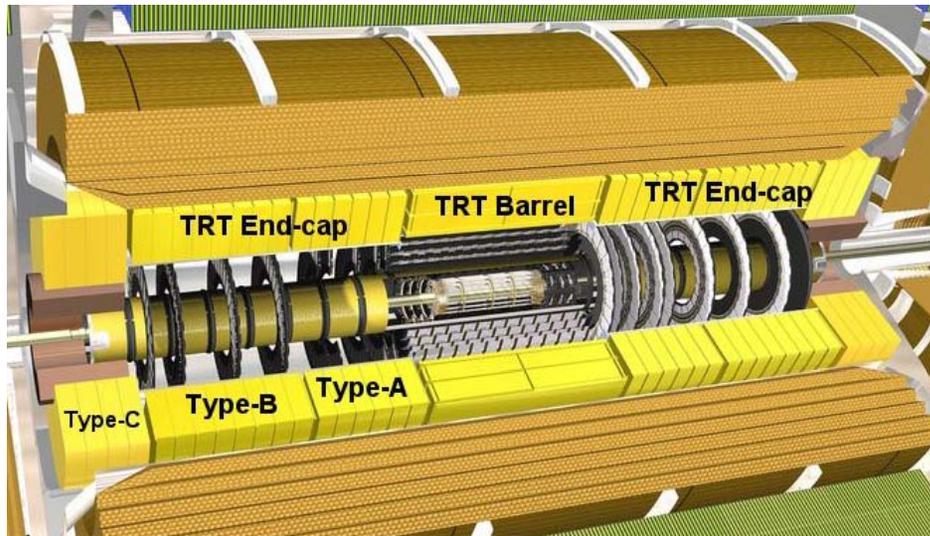
GTDs: Straw Tube

- Next step up from Geiger counter
 - operates in “proportional mode” where total charge detected is proportional to the number of incident electrons
 - timing information gives radial position information
- Construction:
 - each tube has small central wire (15-50 μm radius), typically small radius (5mm-1cm) outer cylinder of stiff, thin material (100-200 μm)
 - built into arrays of tubes to provide multiple hits along trajectory

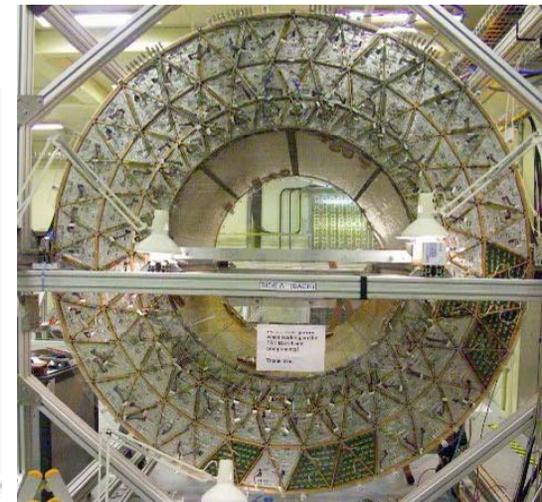
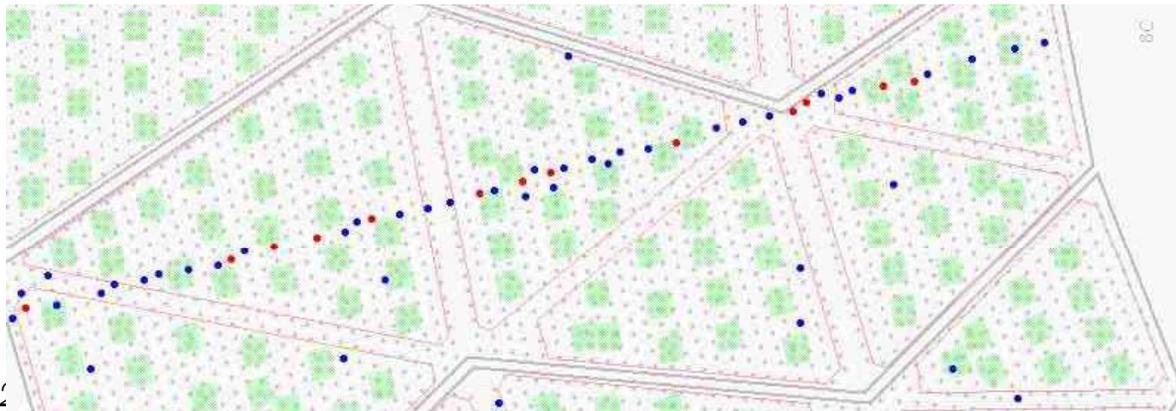


Zeus Tracker

GTDs: Atlas Straw Tubes (TRT)



- 4mm straws, 31 μ m wires
- fast charge collection: ~ 45 ns
- gain of 25,000
- particle ID (e/π separation) using transition radiation



GTDs: Atlas – Why Straws?



Choice of optimization point:

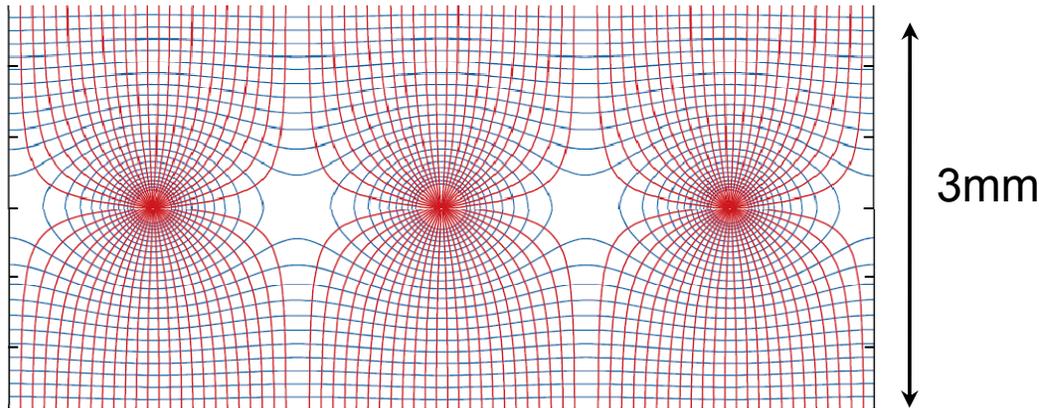
- decided a large number of hits/track is desirable
 - driven to some sort of gas-based detector for fabrication cost reasons
 - more hits with worse resolution/hit
- individual element volume is a compromise between
 - maximum signal collection time (occupancy/multi-hit issue)
 - smaller volume is better (Atlas arrived at ~40-50ns)
 - channel count
 - smaller volumes \Rightarrow more channels \Rightarrow more cost

Straws vs. Open Drift Cell structure

- mostly a question of robustness
 - physical structure of straws more robust than free wires
 - damage from wire breakage limited to individual straw tube
 - cross-talk minimized: cathode acts as ground shield
- **However:** any gas detector in this environment faces serious ageing issues
 - 10 Mrad expected dose in 10 years (10 C/cm total charge!)

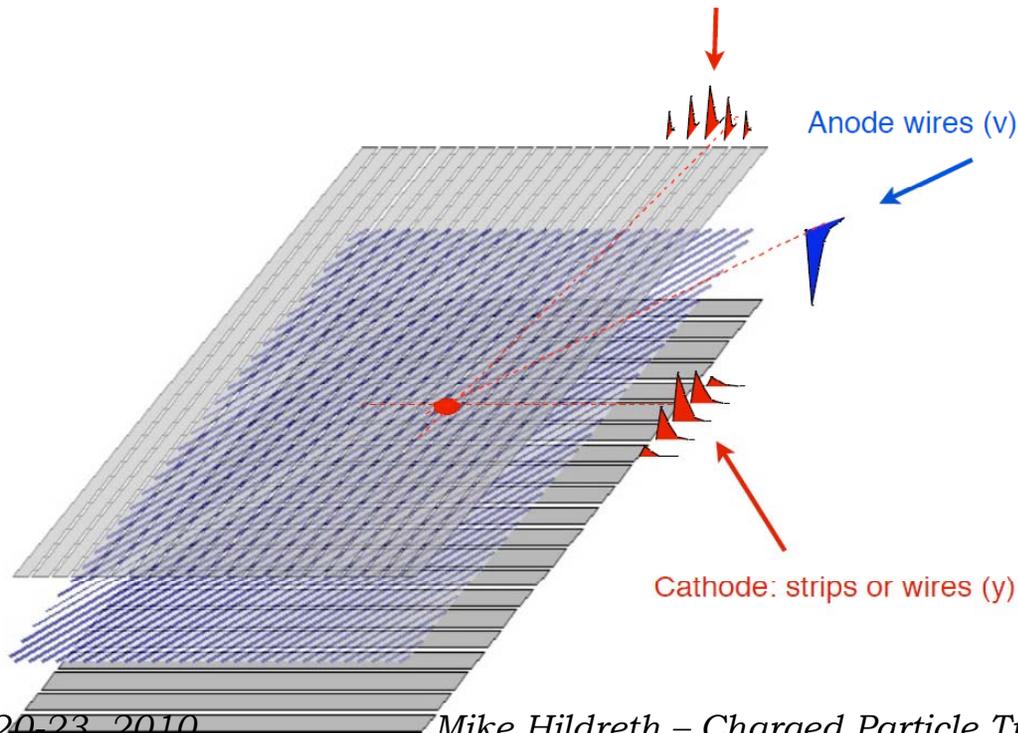
GTDs: Multi-Wire Proportional Chambers

- Replicate single wire geometry in large arrays



1mm cell width gives
single hit resolution
of $\sim 300 \mu\text{m}$

- Can have 2-D information: Cathode: strips or wires (x)



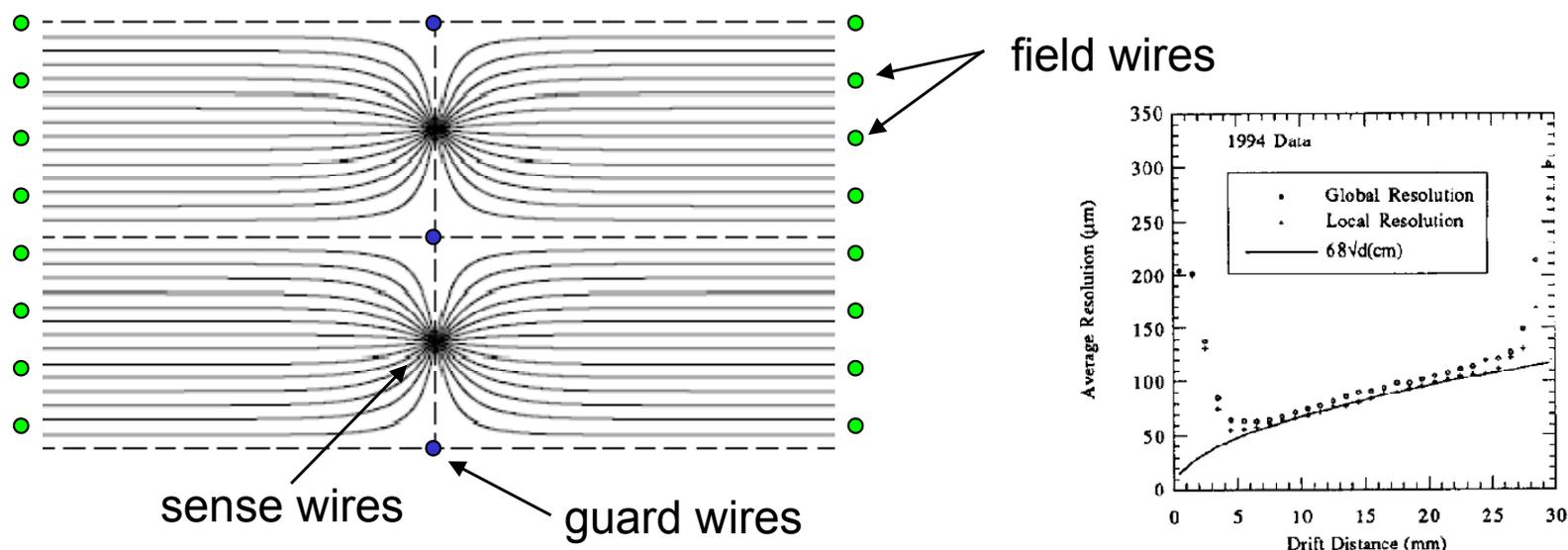
Many different ways to use
this basic concept:

e.g. Cathode Strip
Chambers, Resistive Plate
Chambers, Small Gap
Chamber, Monitored Drift
Tubes, Streamer tubes,
(insert favorite muon
detection technology here)

GTDs: Drift Chamber

- “Open” MWPC

- arrays of cathode “field” wires used to create uniform electric field

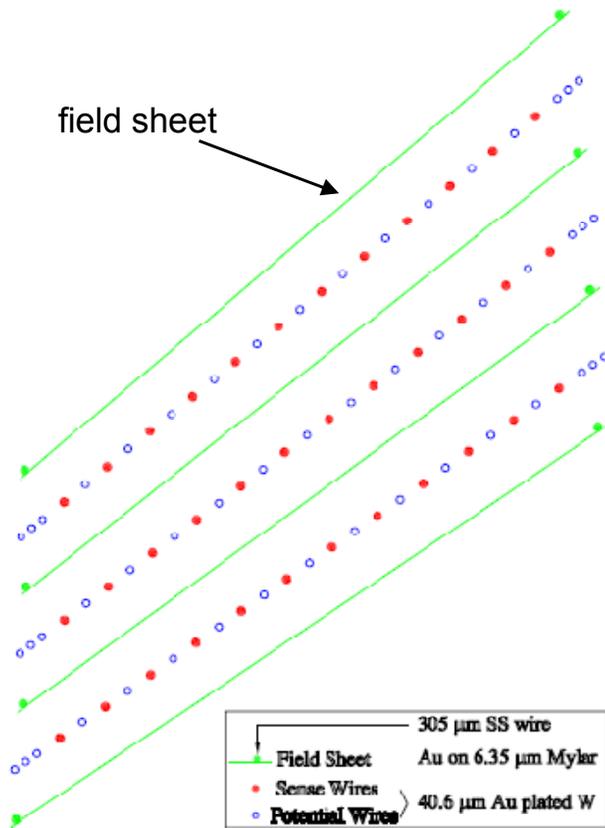


- uniform electric field creates uniform drift velocity, so position can be determined by **time measurement**
 - modulo edge and near-wire corrections (detailed field map)
 - with appropriate gas, drift distances can be very long
- detector is inherently “thin”: many measurements and large volumes possible without adding a huge amount of material

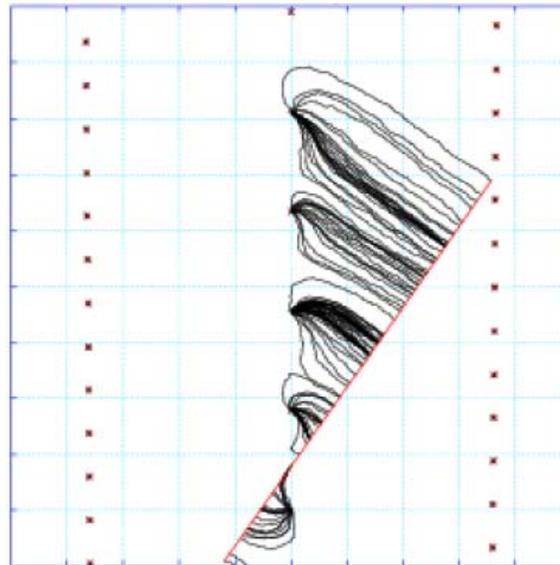
GTDs: CDF COT

- optimized for “high”-luminosity tracking

- narrow drift cells insure short collection times: trigger input
- tilted cells insure well-separated hits for radial tracks, limit multiple tracks/wire, limit left-right ghosts
- Note: stereo wires

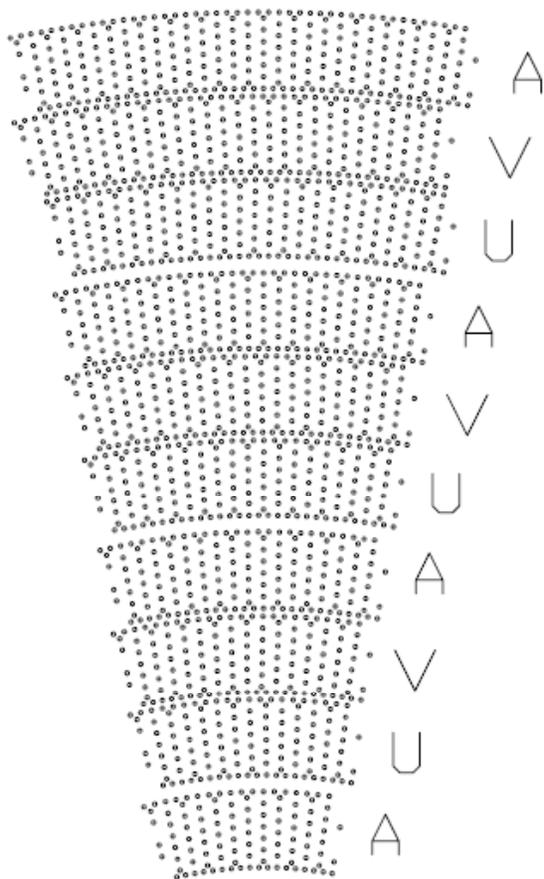
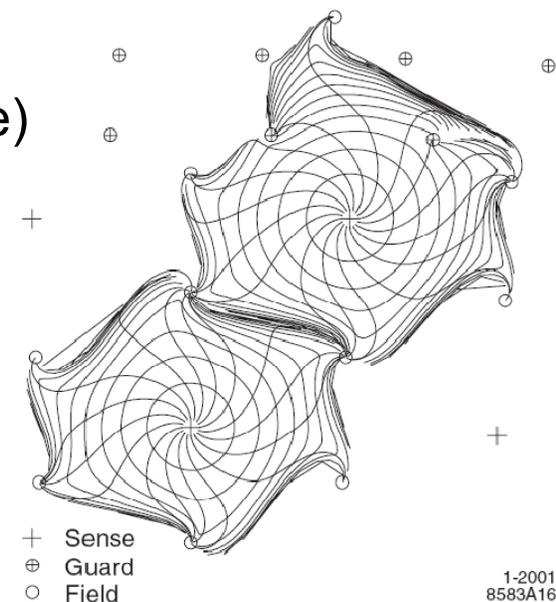


typical resolutions: $\sigma_{xy} \sim 100\mu\text{m}$
 $\sigma_z \sim < 1\text{mm}$



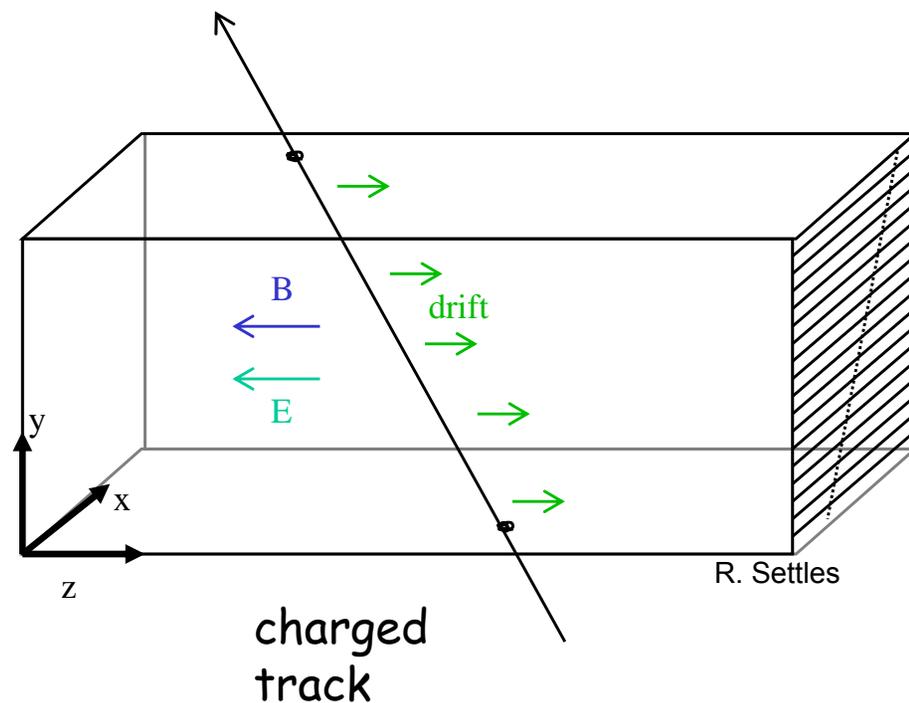
GTDs: BaBar Drift Chamber

- Optimized for high-rate *and* low-mass
 - helium-based gas mixture (80% He, 20% isobutane)
 - gas + wires only gives 0.3% X_0 at 90
 - small cells (short drift times) allow use in trigger
 - also used for dE/dx measurement



GTDs: Time Projection Chamber (TPC)

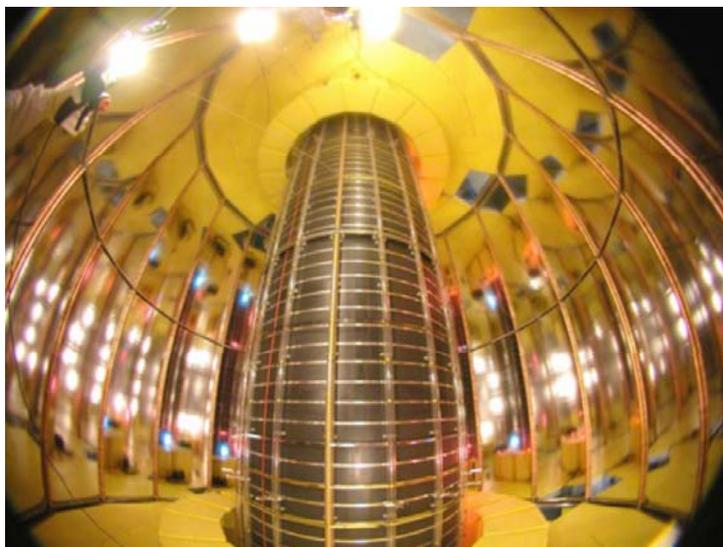
- Set up a situation where $E \parallel B$
 - electrons drift along the z axis
 - looong drift distances
 - measure time and arrival position
- True 3-D detectors
- Many measurements/track
 - allows good particle ID with dE/dx
- Only gas in active volume
 - very little material
 - Large track densities possible



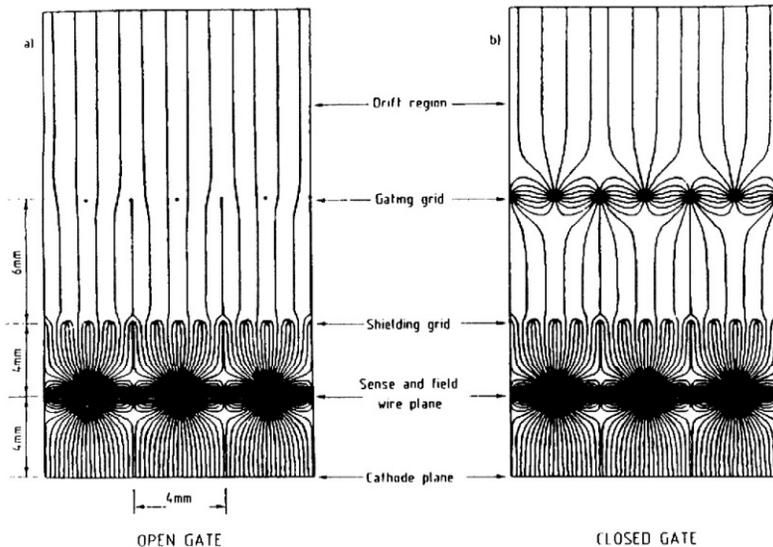
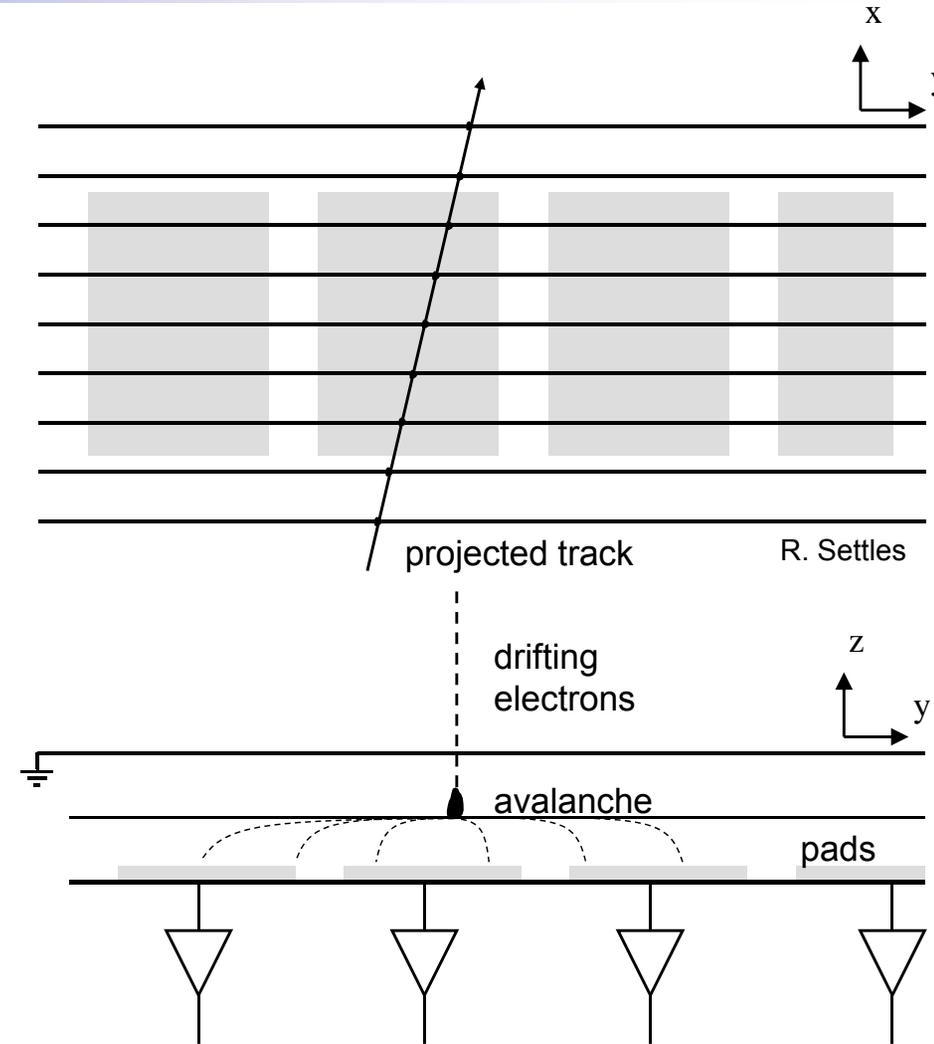
Very long drift (typically > 2 m)
implies/requires:

- slow detector ($\sim 40 \mu s$)
- no impurities in gas
- uniform E-field
- strong & uniform B-field

Alice

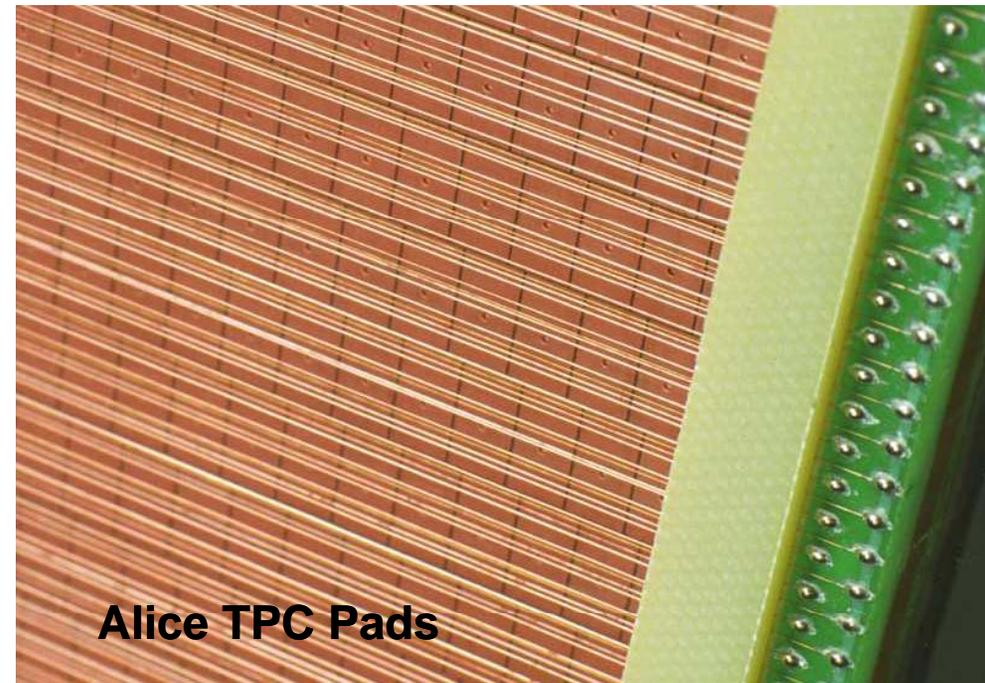
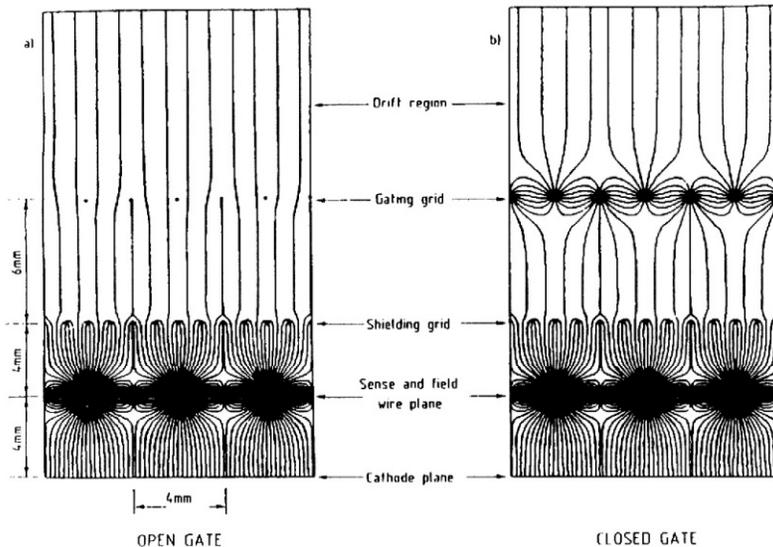
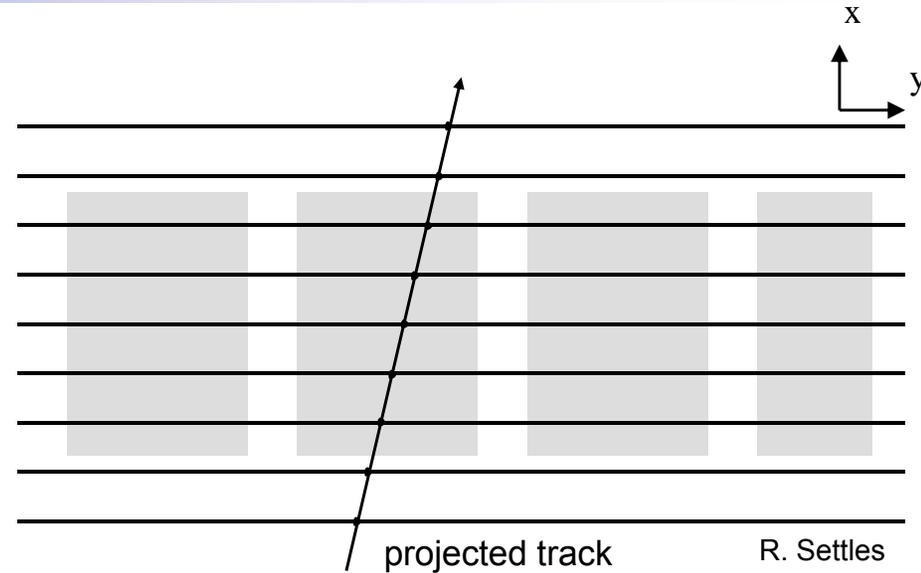


- wires on end plane only
measure one coordinate
- ⇒ special cathode geometry
 - cathode pads used to measure orthogonal coord.
 - granularity key for single hit resolution
 - ion clearing/gating:
 - special precautions to get rid of avalanche remnants



typical resolutions: $\sigma_{xy} \sim 200\mu\text{m}$, $\sigma_z \sim < 1\text{mm}$

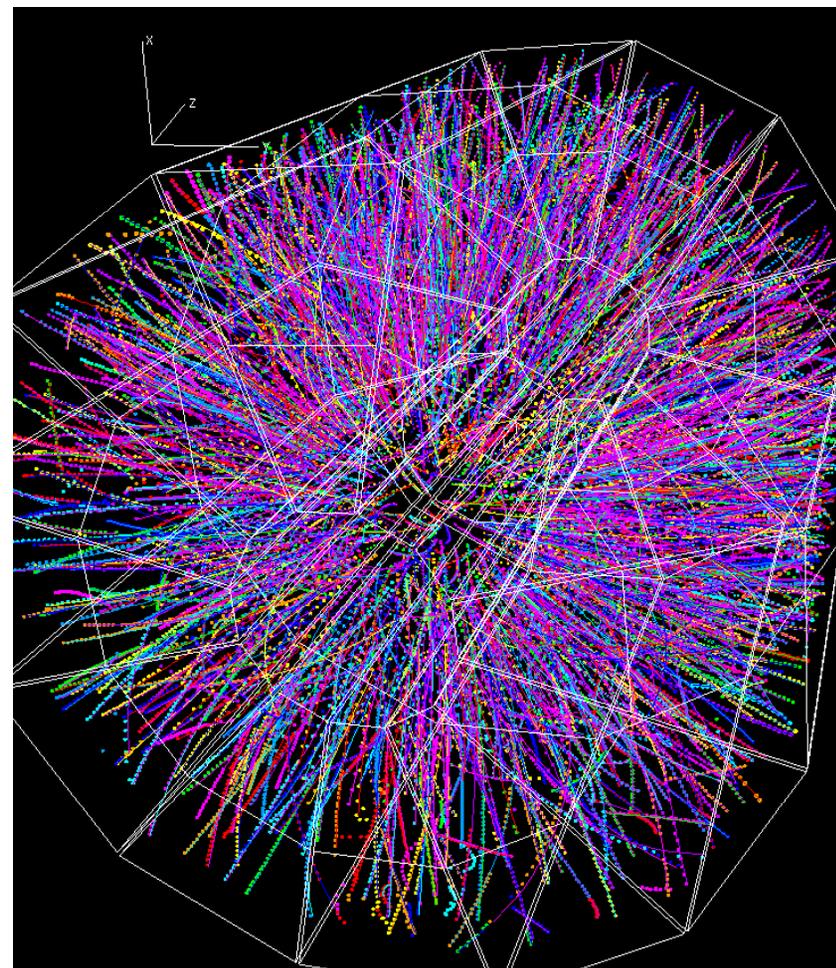
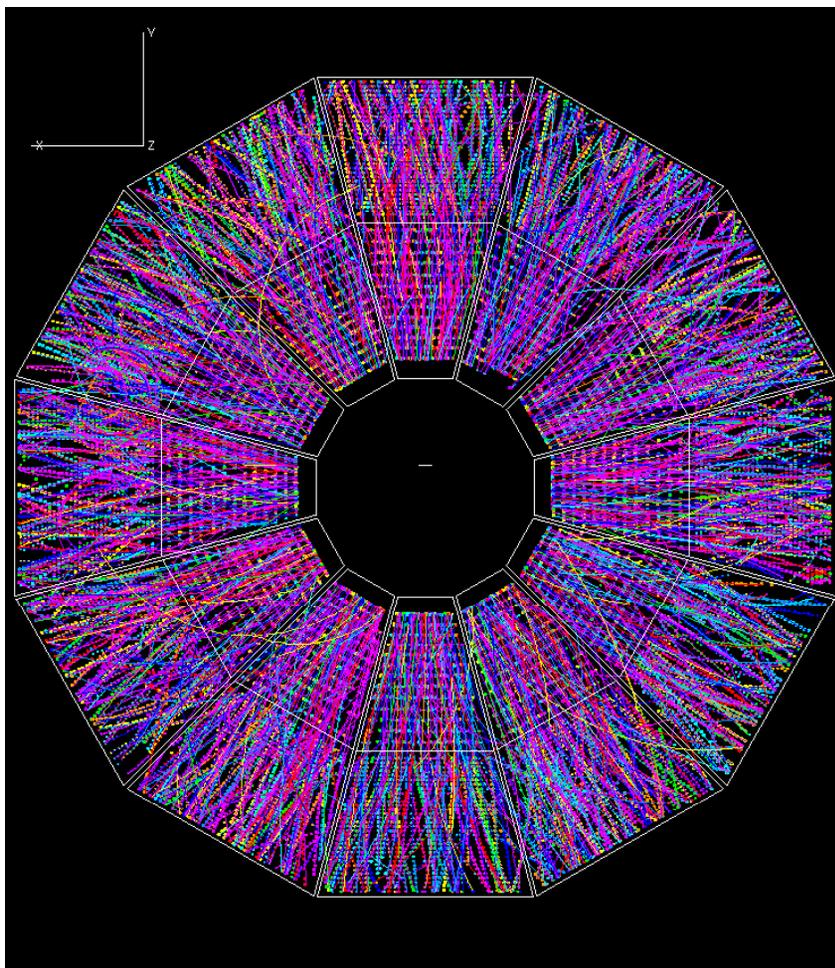
- wires on end plane only
measure one coordinate
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 - cathode pads used to measure orthogonal coord.
 - granularity key for single hit resolution
 - ion clearing/gating:
 - special precautions to get rid of avalanche remnants



Alice TPC Pads

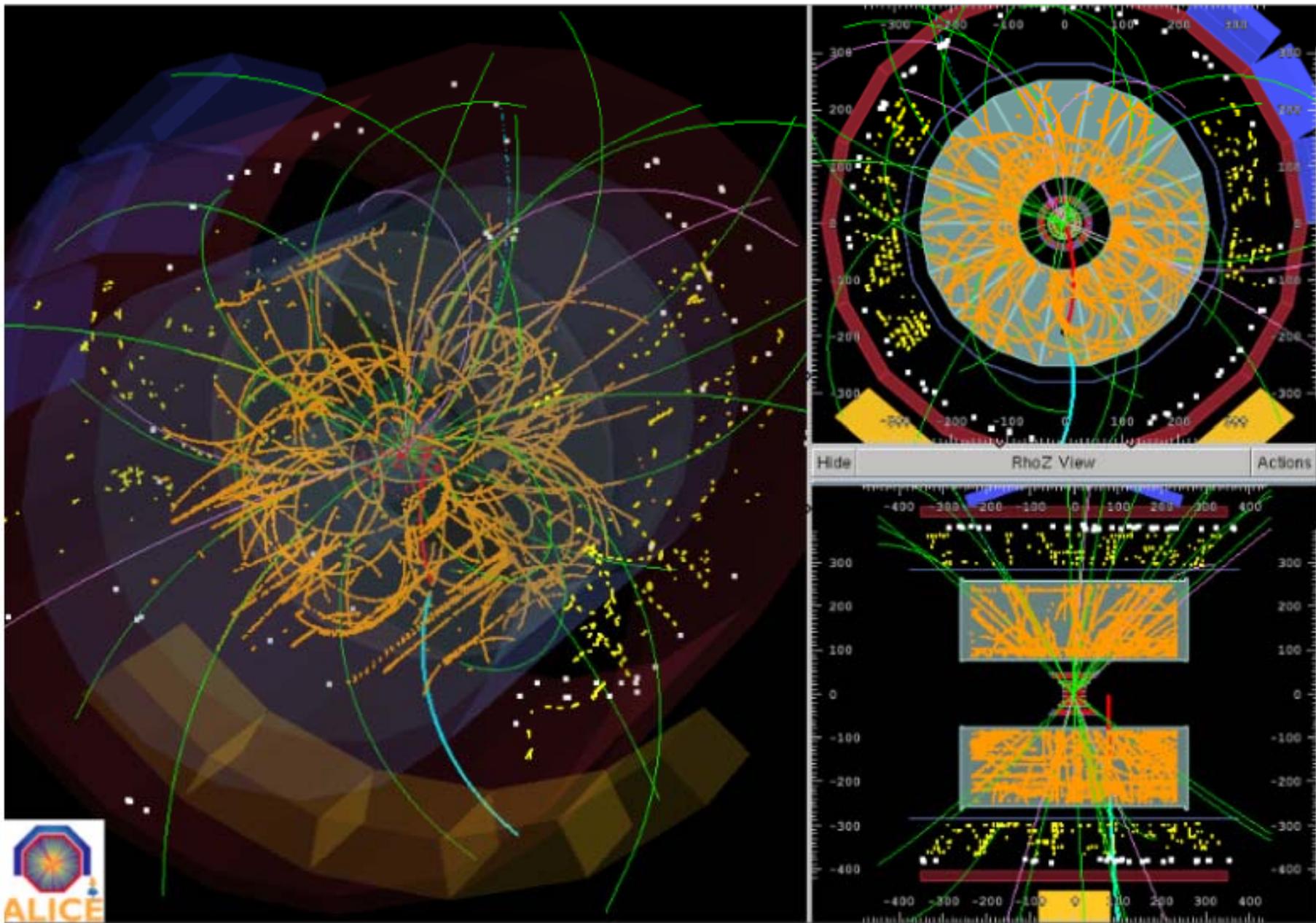
GTDs: TPCs

- Large track densities *are* possible!



STAR

GTDs: Alice TPC



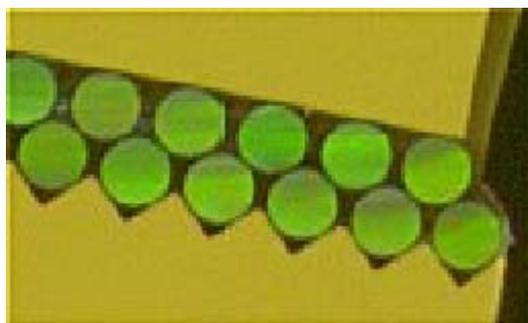
Issues for GTDs



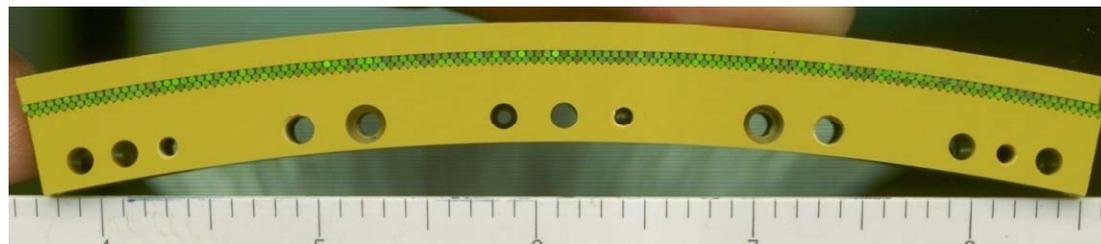
- cover large volumes relatively cheaply
- nearly 100% sensitive volume
- Gas composition/stability/contamination
 - basically a black art
 - need gases that give good multiplication, but not too much
 - need gases with low electron diffusion for good resolution
 - need components to quench the avalanches
 - need to avoid contaminants that ruin the performance
 - sometime contaminants can be beneficial (c.f. CDF and H₂O)
 - all of this must be monitored constantly
- electric field mapping (with data)
 - distortion corrections important for ultimate resolution
- limited single hit resolution
 - unavoidable given drift/diffusion/avalanche considerations
 - best resolution achieved was ~30-40 $\mu\text{m}/\text{hit}$ (Mark II DCVD)

Solid Detectors: Scintillating Fibers

- Small, multi-clad fibers doped with scintillating dye & waveshifter can function as a tracking device




835 μm



- **DØ Central Fiber Tracker:** ~77k fibers
- 8 Barrels: each barrel layer has axial and 3° stereo ribbons (XU, XV, XU...)
- Light collection: visible light photon counters (VLPCs)



- solid state photodetectors
- high-gain (~40,000)
- high quantum efficiency
- fast – use in trigger

Solid State Tracking Detectors



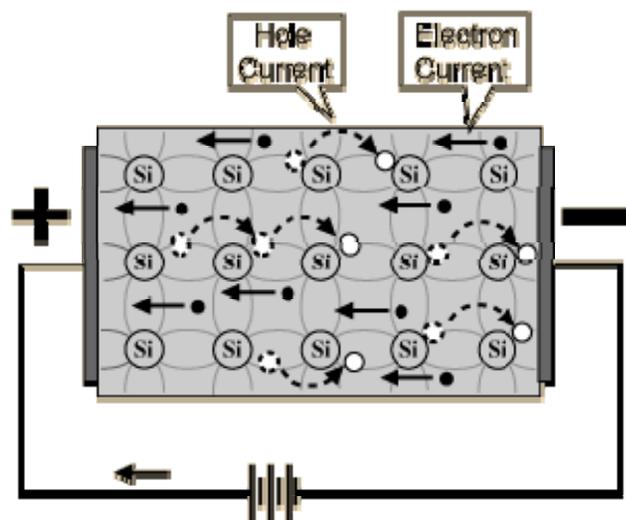
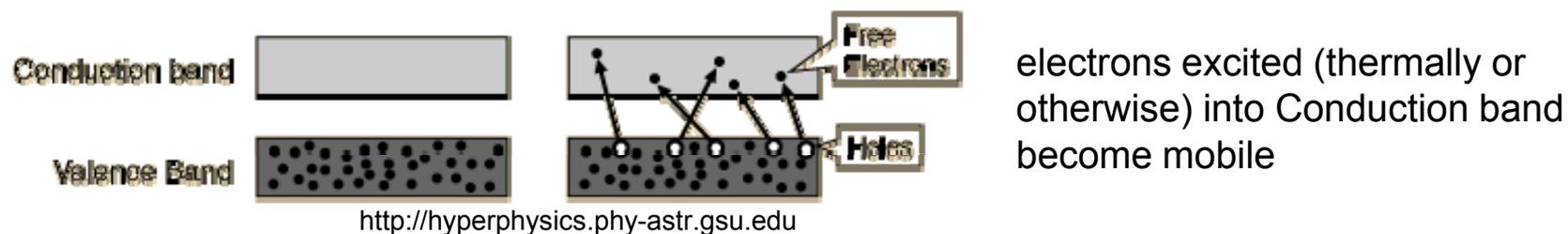
- Why Silicon?

- crystalline silicon band gap is 1.1 eV (c.f. ~ 20 eV for typical gases)
 - yields 80 electron-hole pairs/ μm for minimum-ionizing track
 - (1 e-h pair per 3.6 eV of deposited energy)
 - 99.9% of ejected electrons have less than $1\mu\text{m}$ path length
 - fine-granularity devices can easily be made

⇒ detector performance could be as good as emulsion/bubble chamber

- Integrated Circuit manufacturing techniques make just about anything possible, and at industrial prices
 - no real need to “home-grow” these detectors
 - just buy what you need...

- Detection still based on collecting electrons from dE/dx in material
- semiconductor structure:



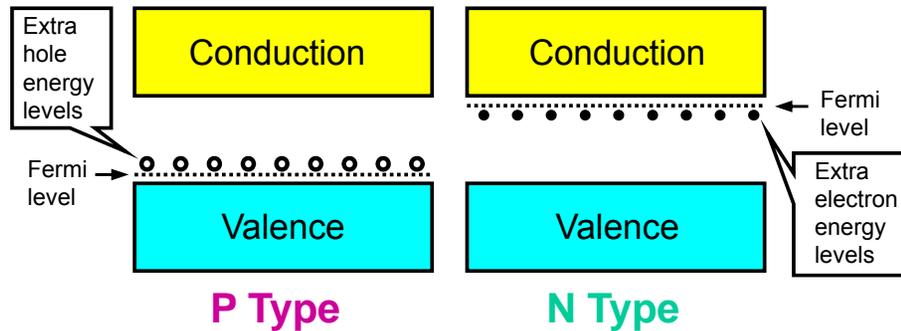
Liberated electrons will drift under the influence of an applied voltage

- **the problem: recombination**
 - many, many more free charge carriers in a semiconductor than what is liberated through ionization \Rightarrow electrons re-combine with holes

Silicon Basics: Doping and PN

- The solution(s): 1. modify material structure

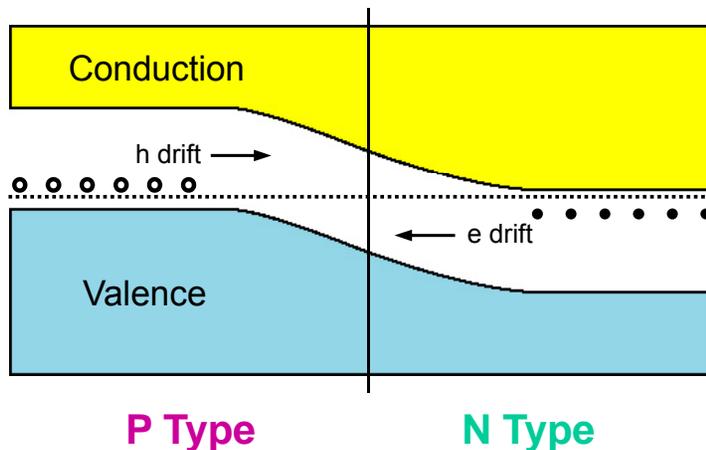
P-type silicon has electron acceptor (hole donor) atoms (B) added to create additional hole states



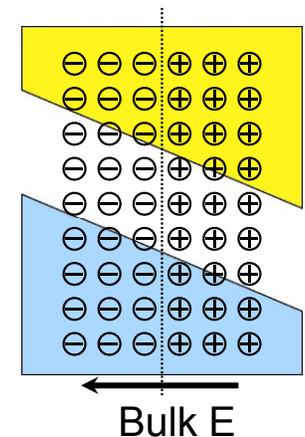
N-type silicon has electron donor atoms (P) added to create additional electron states

2. Modify charge structure: put P and N together (PN Junction)

- in thermal equilibrium, Fermi levels become equal due to drift of electrons/holes across junction

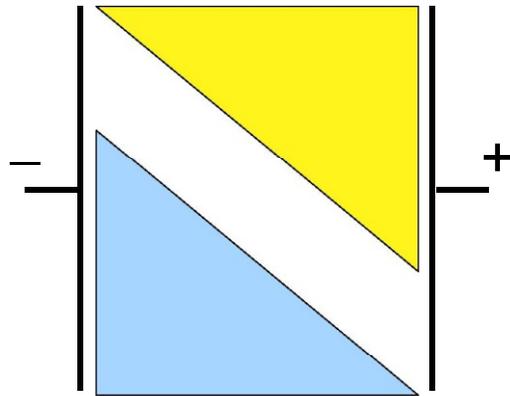


Near junction, electrons bind to hole sites, creating negative ions, leaving positive ions behind. Bulk E-field stops motion of more particles ⇒
Depletion region: no free charge carriers!



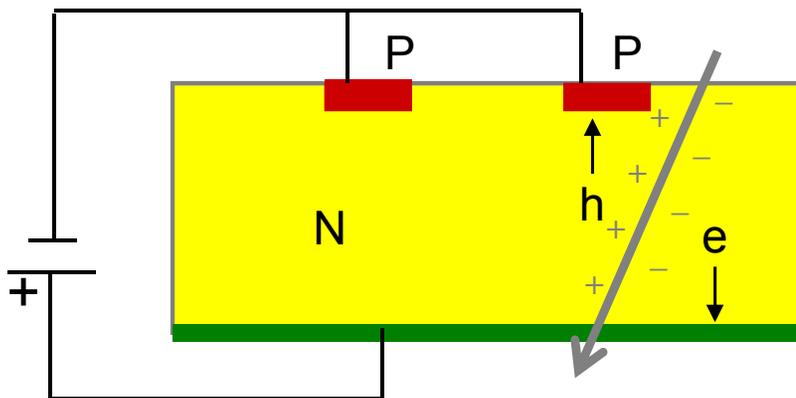
Silicon Basics: PN Junction, Bias

- Apply a voltage to suppress bulk E field, increase size of depletion layer to encompass entire volume: "Reverse Bias"

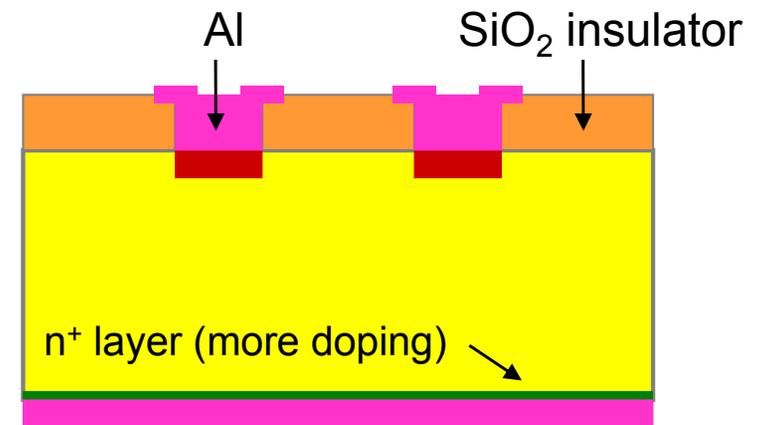


At the depletion voltage, no more free charge carriers exist in the semiconductor; any additional e-h pairs generated can drift to the edges

In reality, use bulk silicon of one type, make "electrodes" out of the other type:



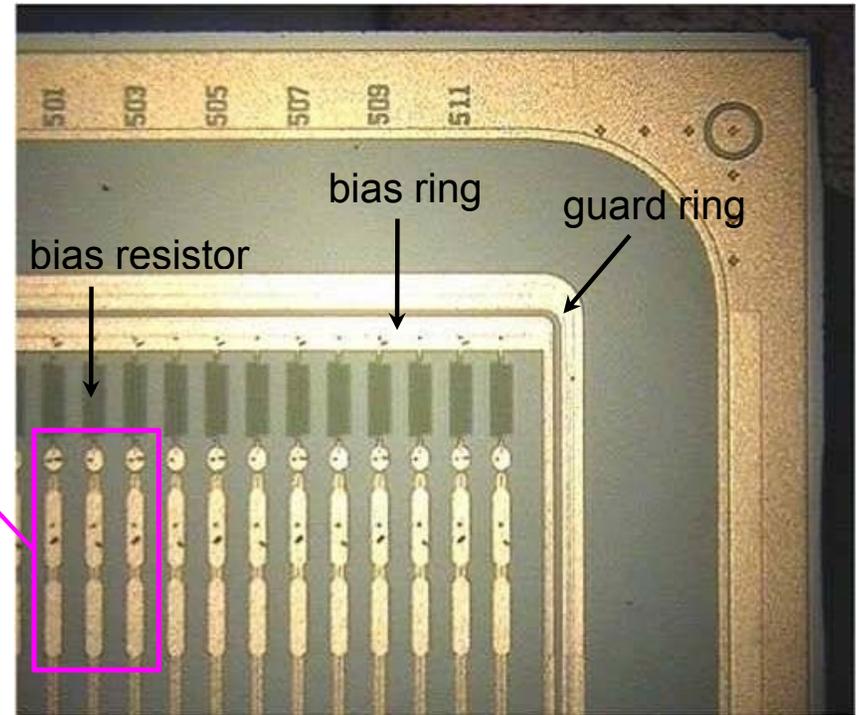
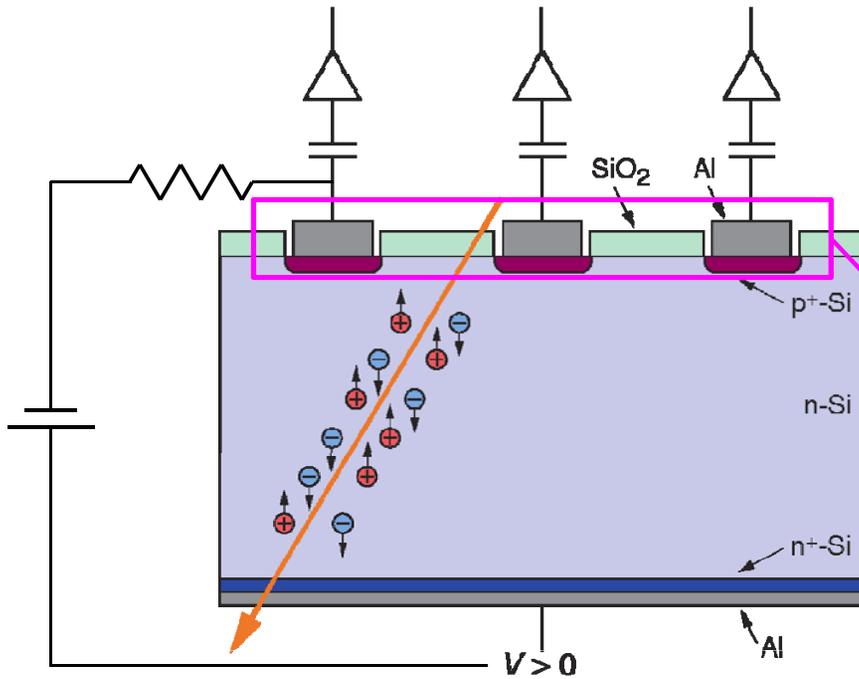
"Real" detectors necessarily more complicated



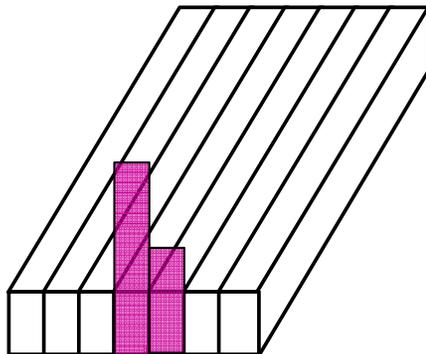
R. Wallny

SSTDs: Silicon Microstrips

- The easiest thing to do is put down sensor lines, read out at end



- Charge sharing improves position resolution:

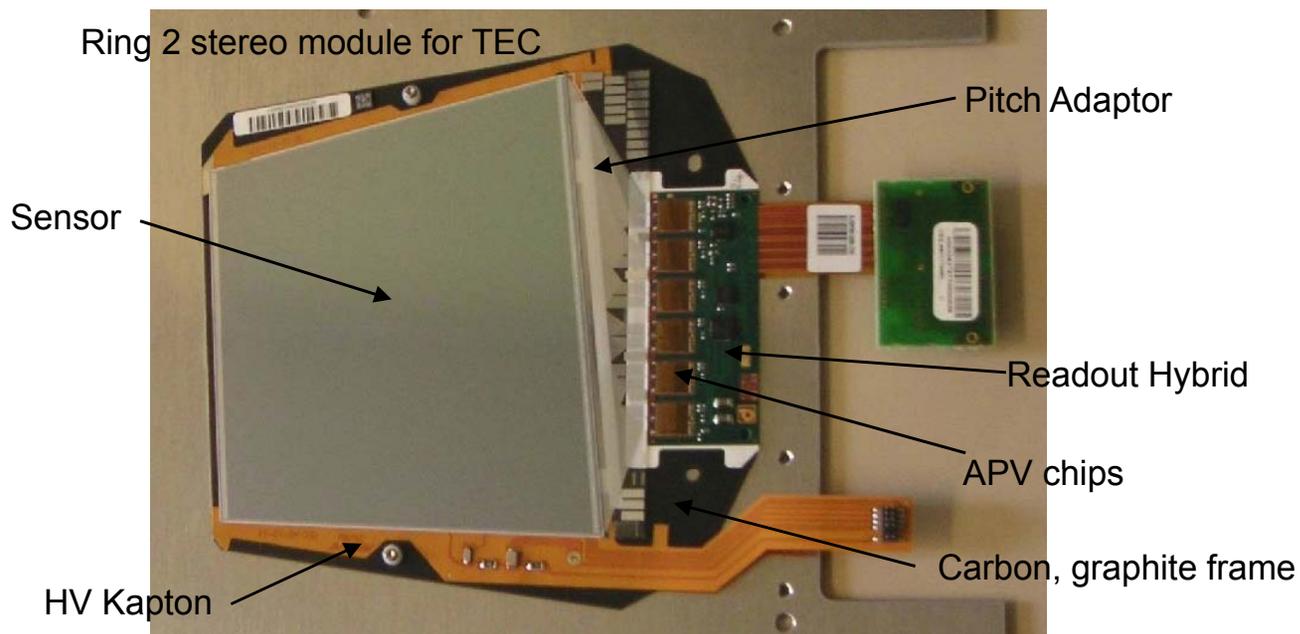
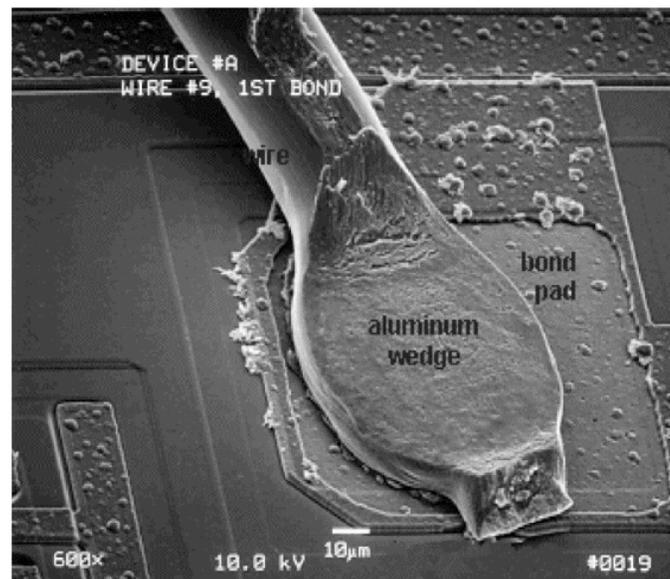
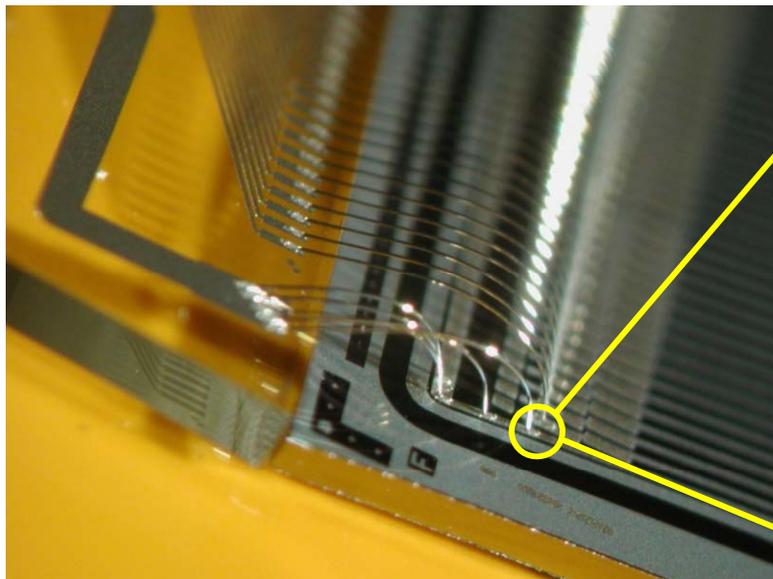


$$\bar{x} = \frac{\sum x_i q_i}{\sum q_i}$$

- Typical pitch width: 50 μ m – 200 μ m
 - one strip: width/ $\sqrt{12}$
 - two strips: width/4
 - more than two: width/2

SSTDs: Silicon Microstrips

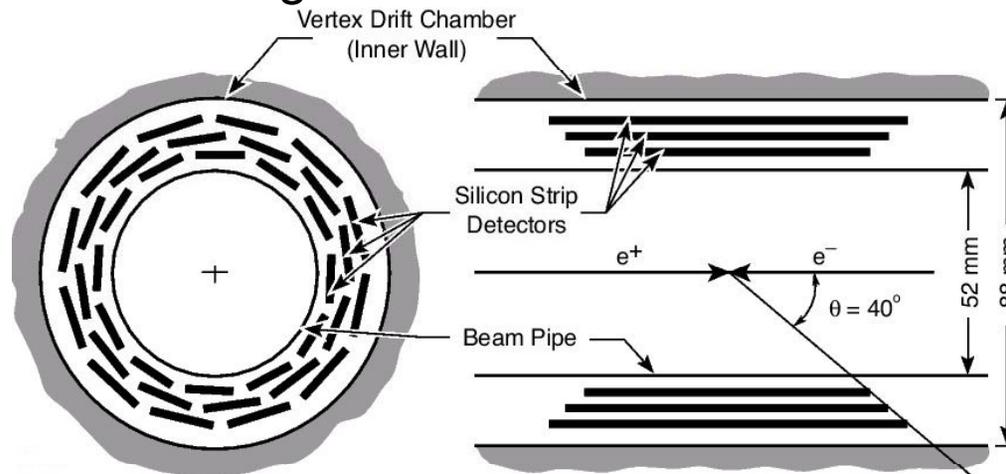
- Exquisitely complicated micro-mechanical construction



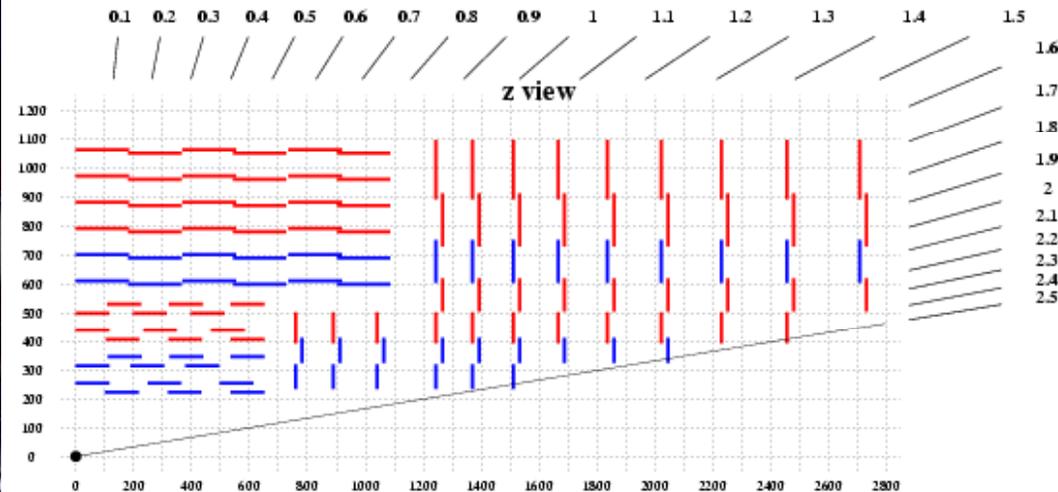
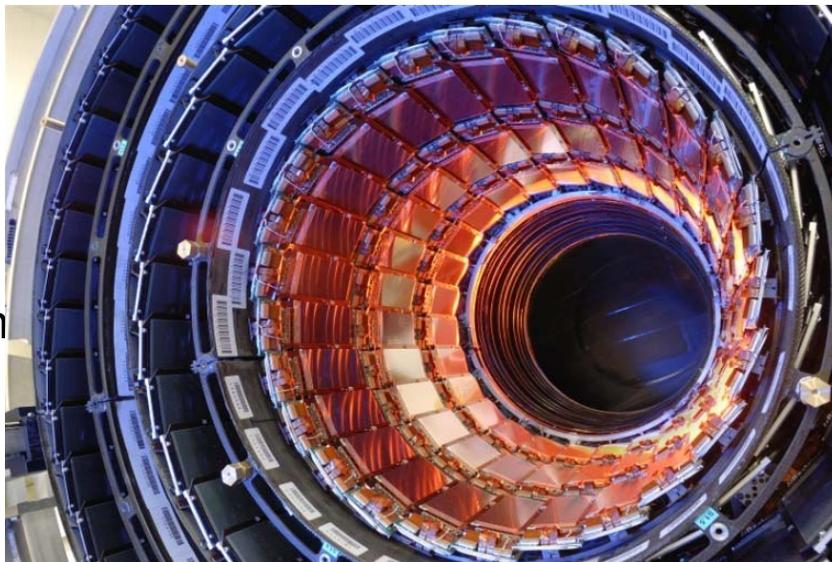
SSTDs: Silicon Microstrips

- inherently 2-D: go to double-sided (or glue sensors at an angle for stereo) for r-z, but still 2-D devices
- “shingle” geometry common
 - full azimuthal coverage

Mark II
18.4k ch

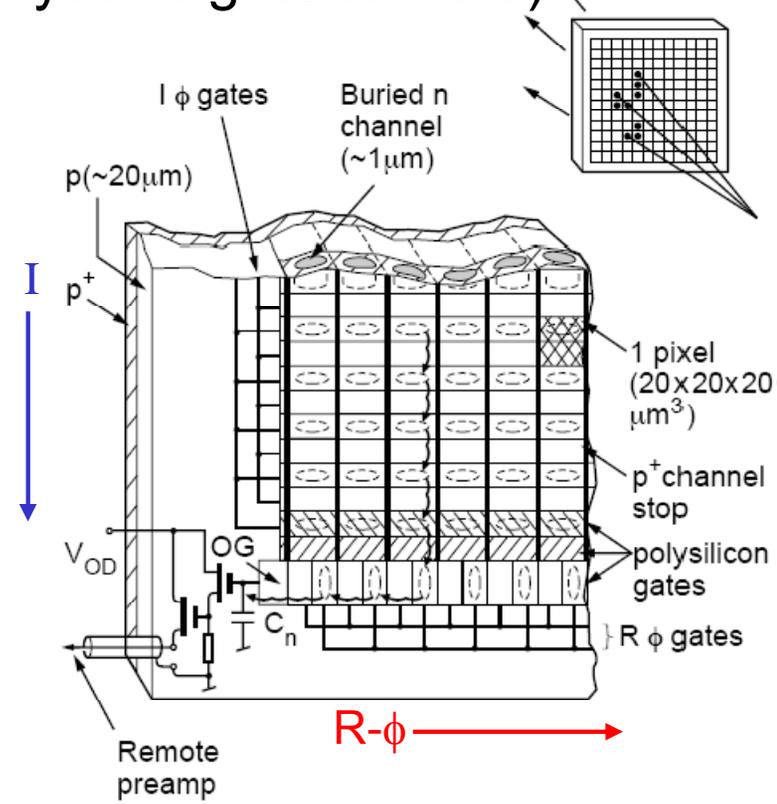
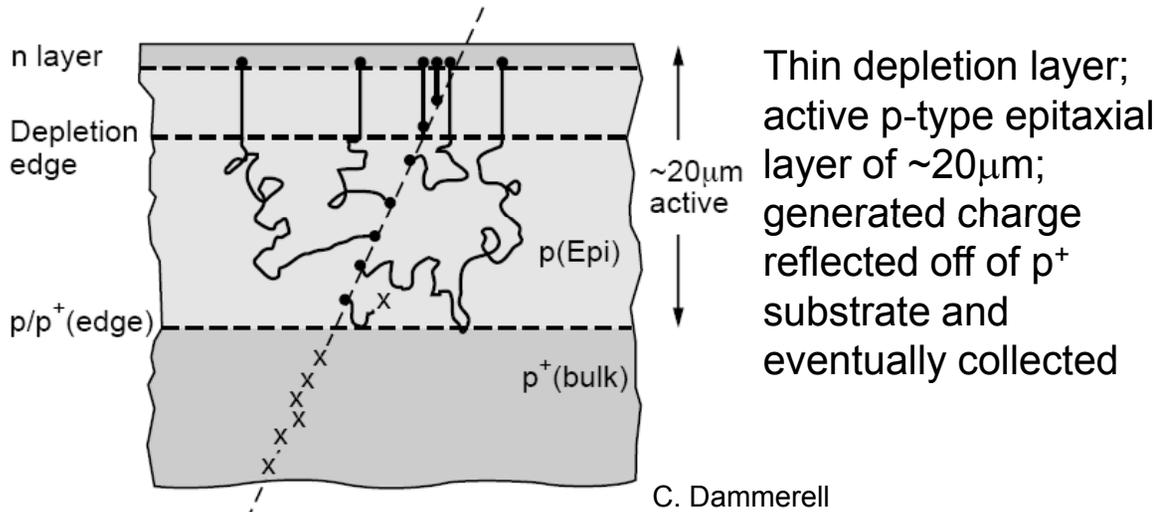


CMS
9.6M ch



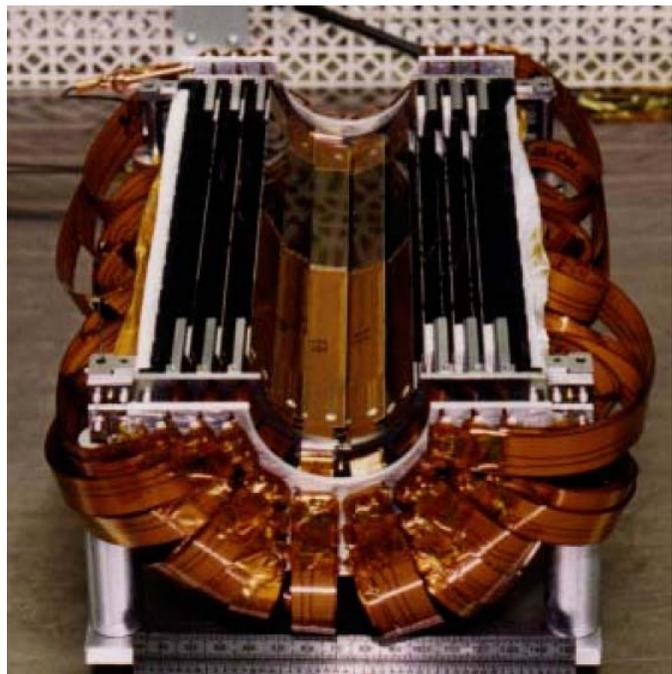
SSTDs: Pixels

- CCDs (charge-coupled devices) (what's in your digital camera)
 - how do they work?



SLD VXD3:

- 3×10^8 pixels
- world-record for collider detector hit resolution: $\sim 4 \mu\text{m}$

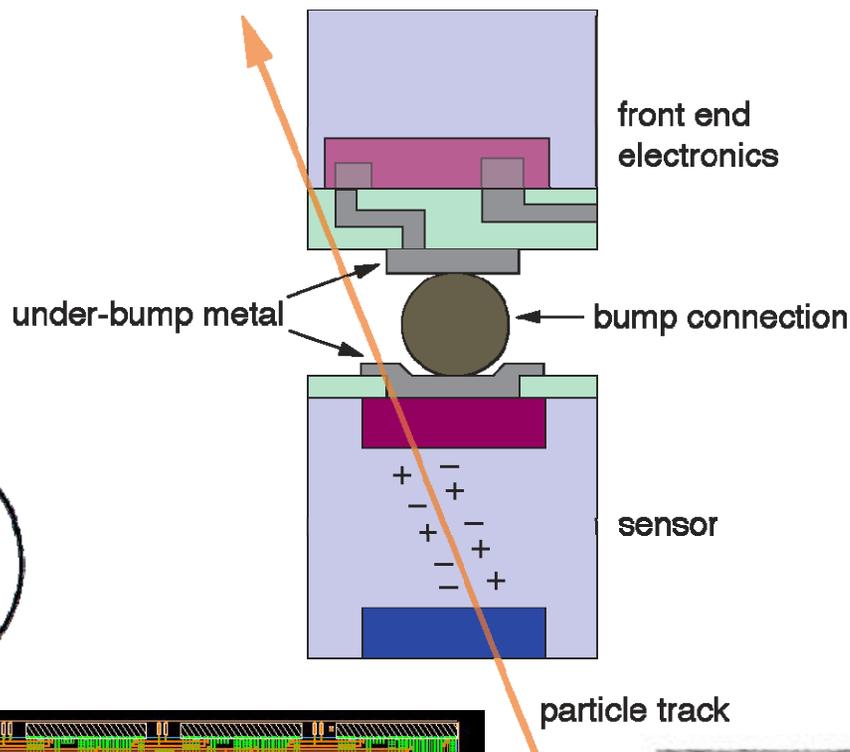
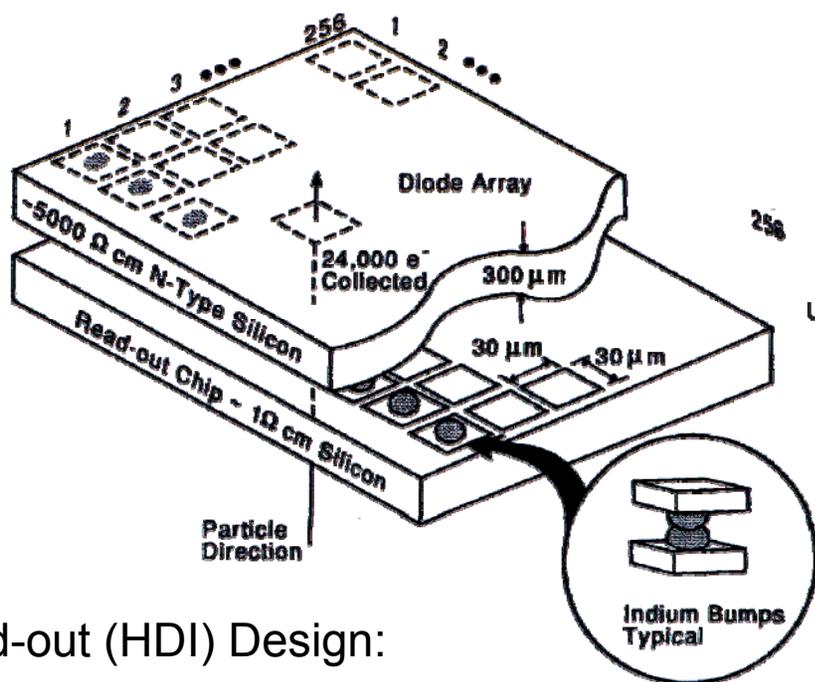


Complicated pixel structure built on surface; Readout is serial – I shifts move each row down, $R-\phi$ shifts read out the columns. Can take 100ms to read out a large detector

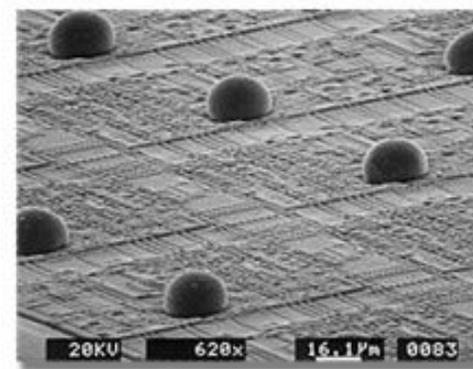
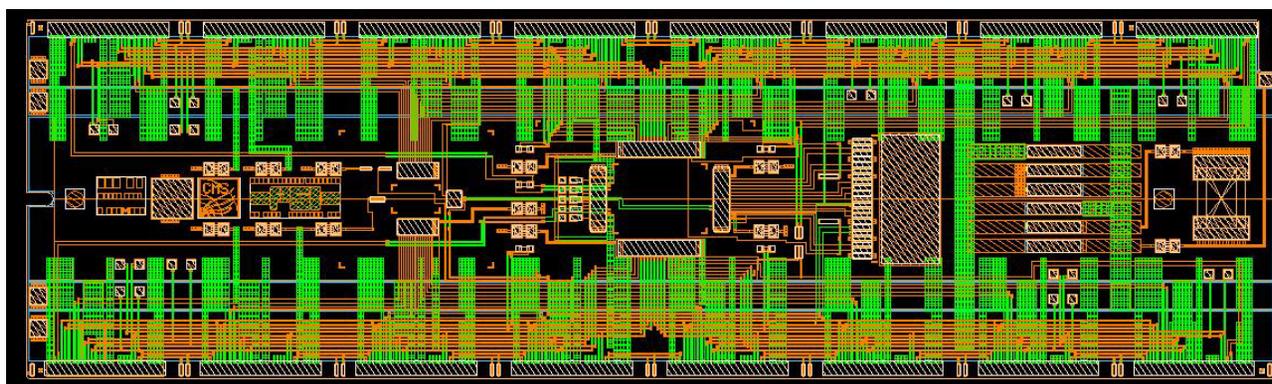
technology still advancing...

SSTDs: Hybrid Pixels

- Use fast, intelligent, rad-hard devices for high-occupancy environments
 - sensors separate from readout electronics – bonded together

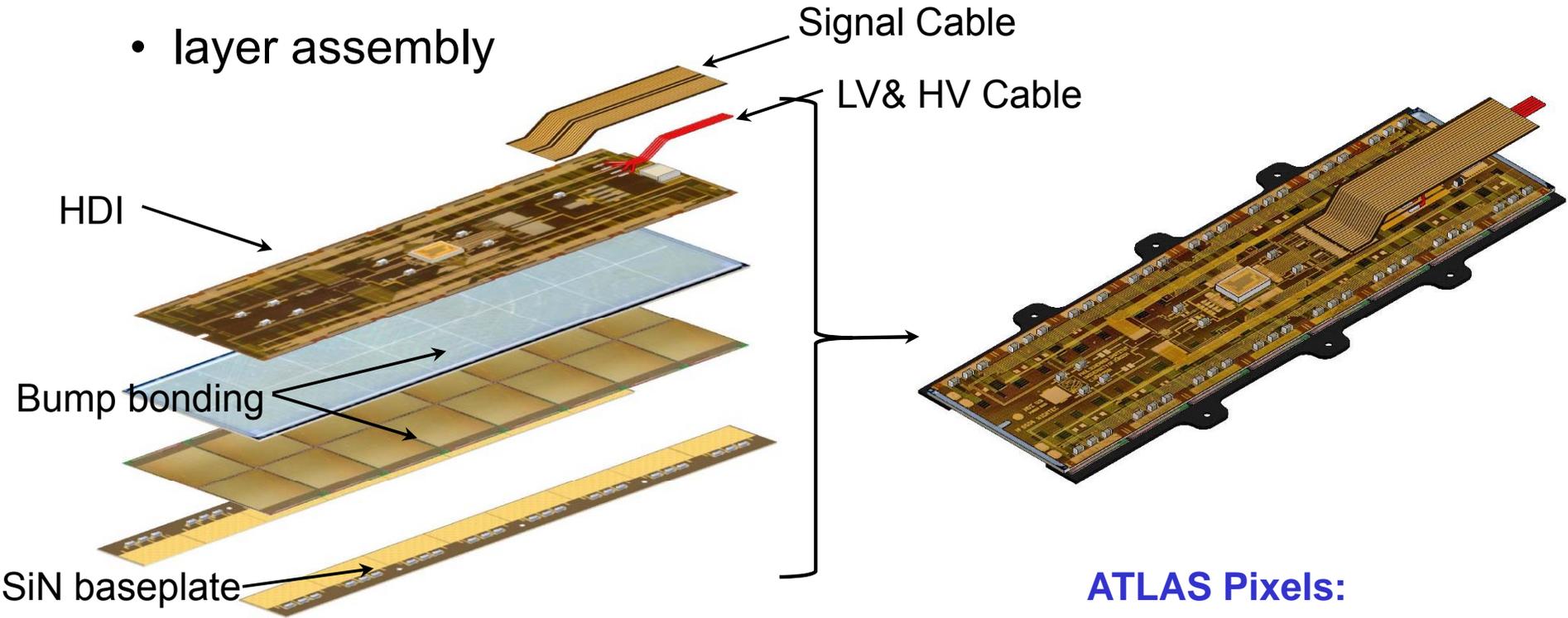


Read-out (HDI) Design:



Pixel Modules and systems

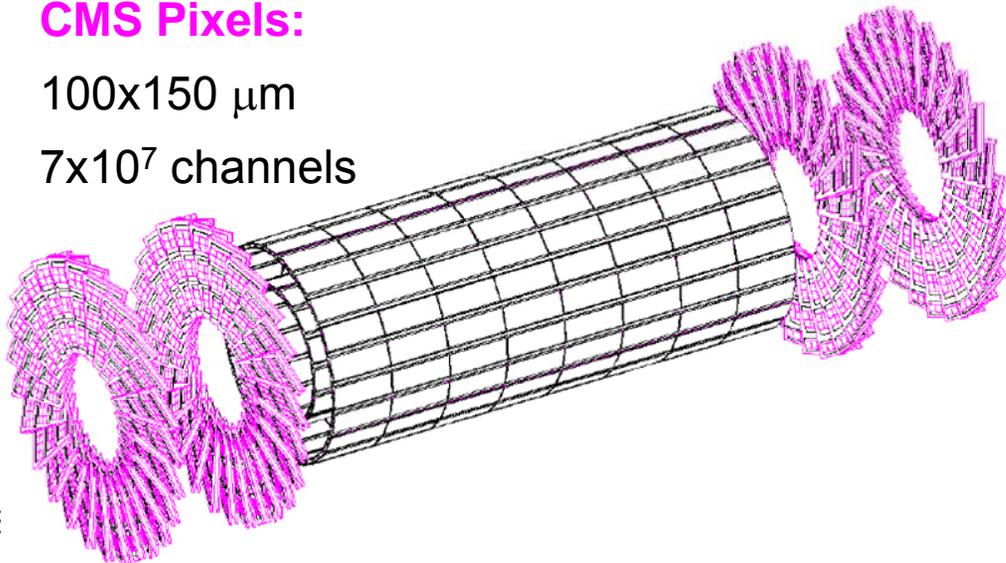
- layer assembly



CMS Pixels:

100x150 μm

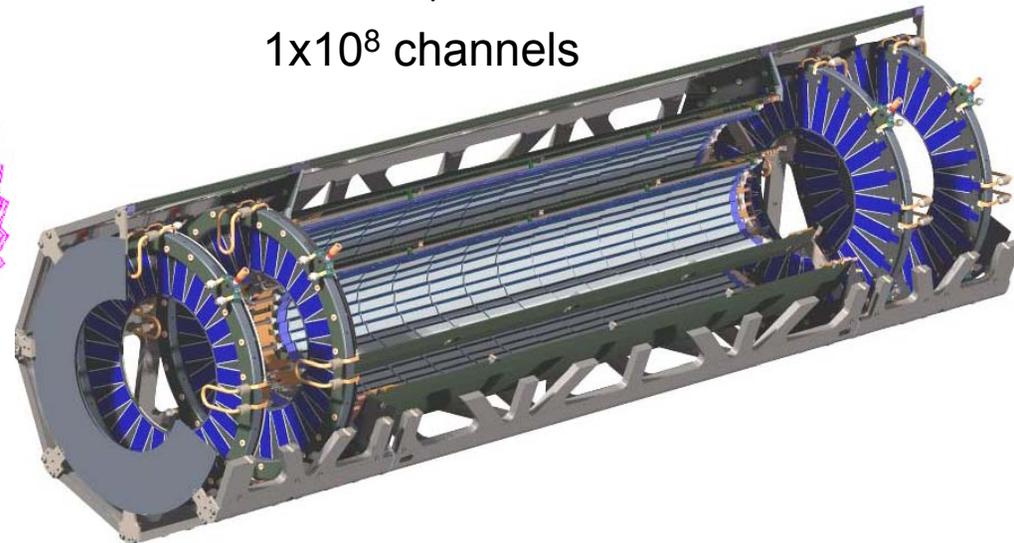
7×10^7 channels



ATLAS Pixels:

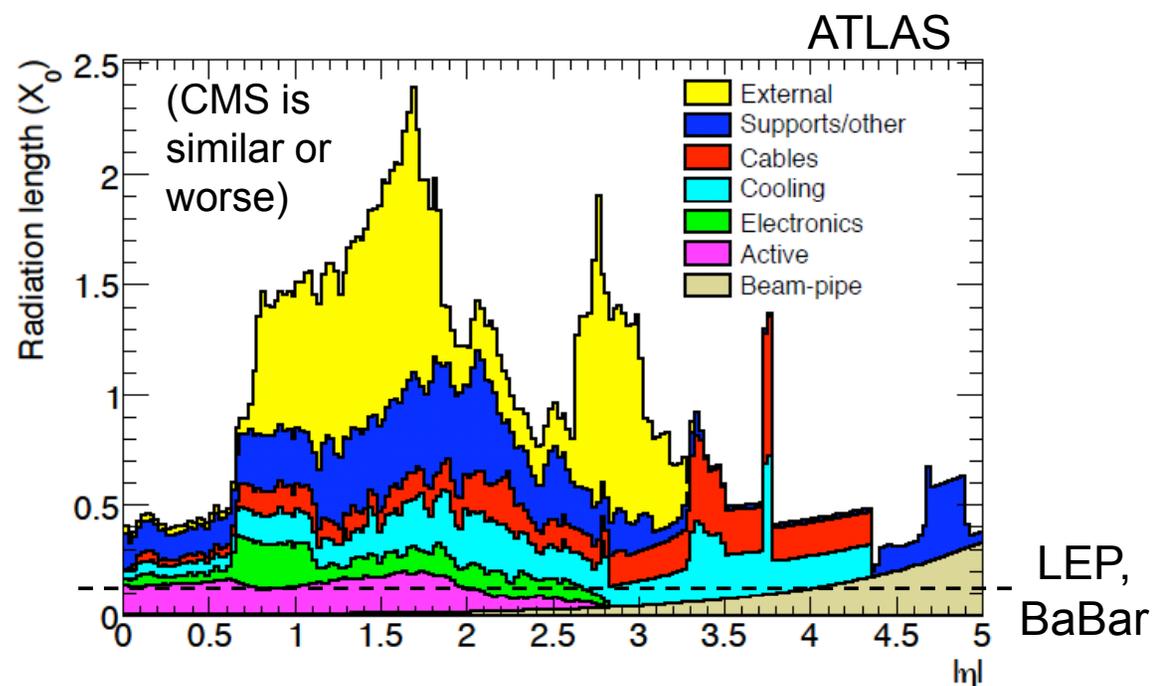
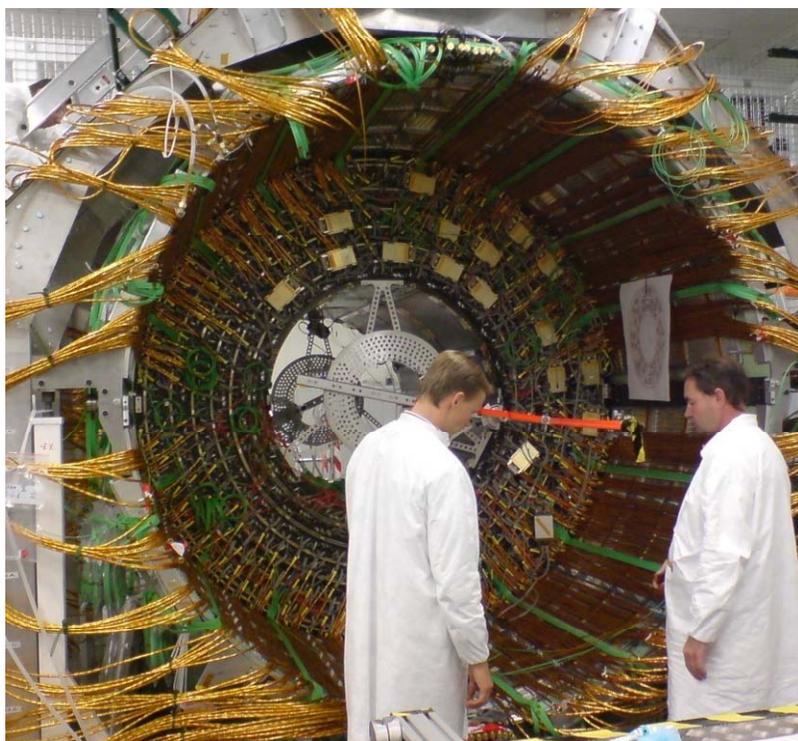
50x400 μm

1×10^8 channels



SSTDs: Issues

- Support infrastructure
 - even with miniature electronics, lots of power dissipated
 - cooling necessary in active volume
 - detectors tend to be “thick” – lots of material from supports, sensors



- \$\$\$/ μm^3
 - even with miniaturization, channels cost money

SSTDs: “services”

